

# The Importance of Uncertainty for Deep Learning in Robotics

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Queensland University of Technology  
Australian Centre for Robotic Vision

With material by **Dimity Miller**  
and **Feras Dayoub**



# Output

Images

Data

Images

Image  
Processing

Computer  
Vision

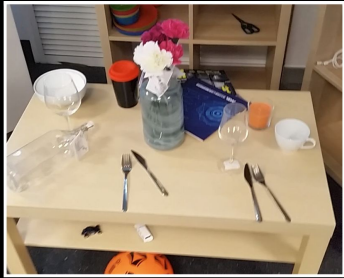
Input

Data

Computer  
Graphics

Data  
Science

# Output



**Input**

Images

Data

Images

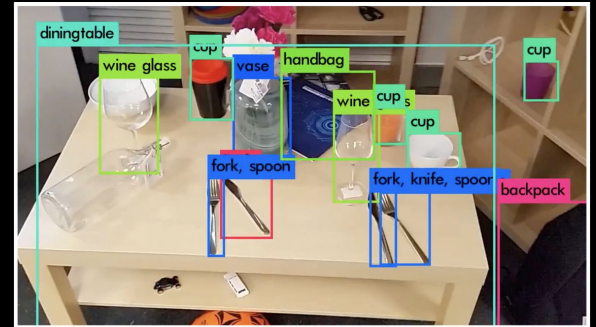
Data

Image  
Processing

Computer  
Vision

Computer  
Graphics

Data  
Science



# Output

Images

Data

**Actions**

Images

Image  
Processing

Computer  
Vision

Robotic  
Vision

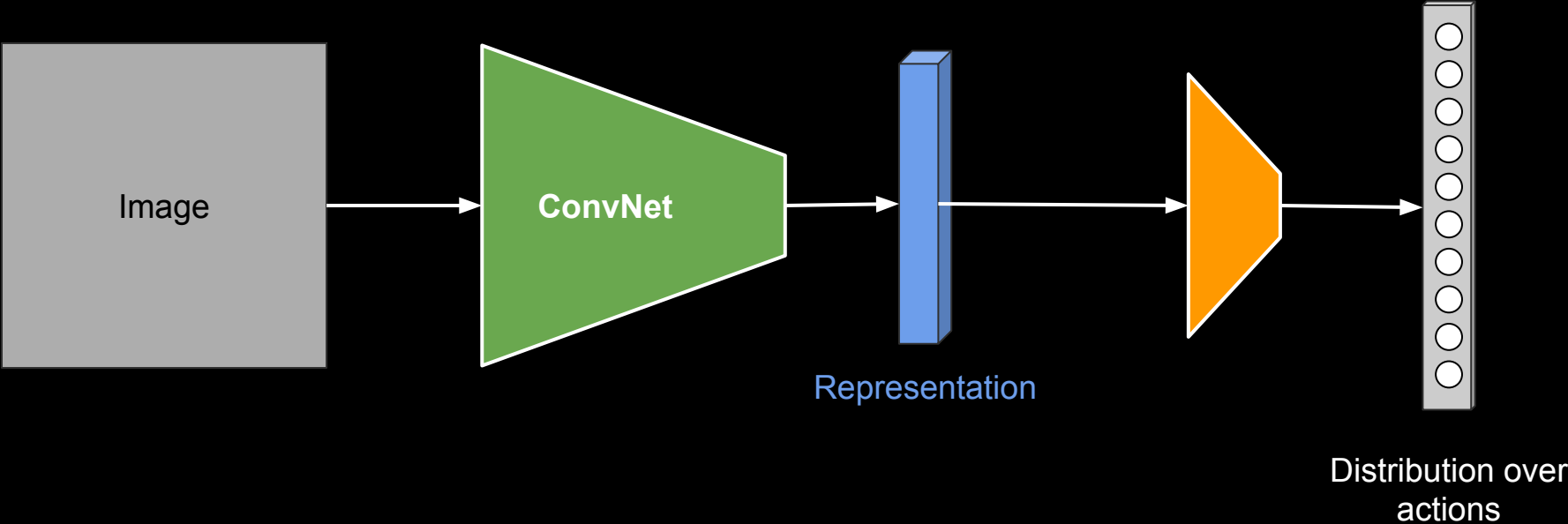
**Input**

Data

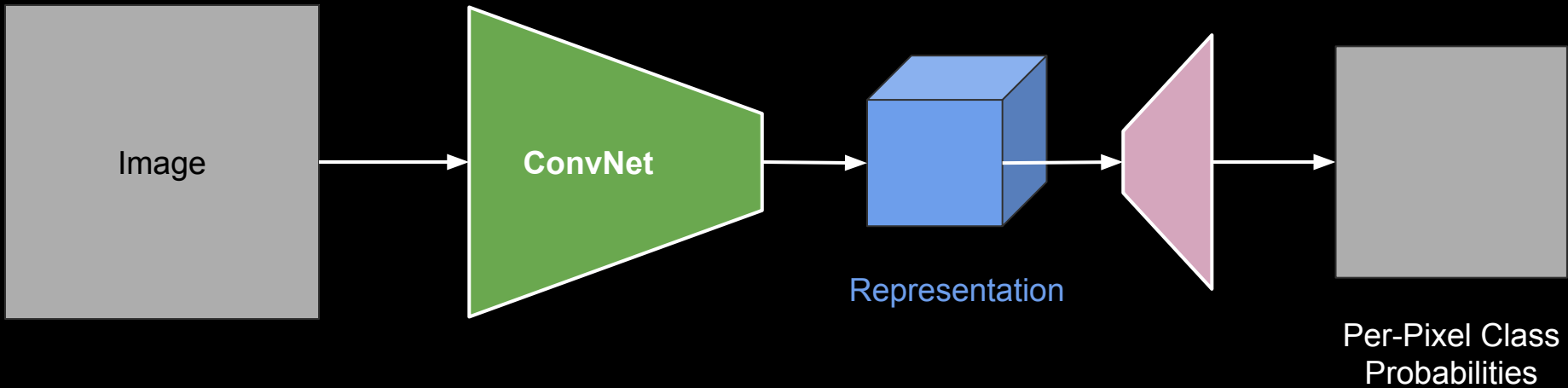
Computer  
Graphics

Data  
Science

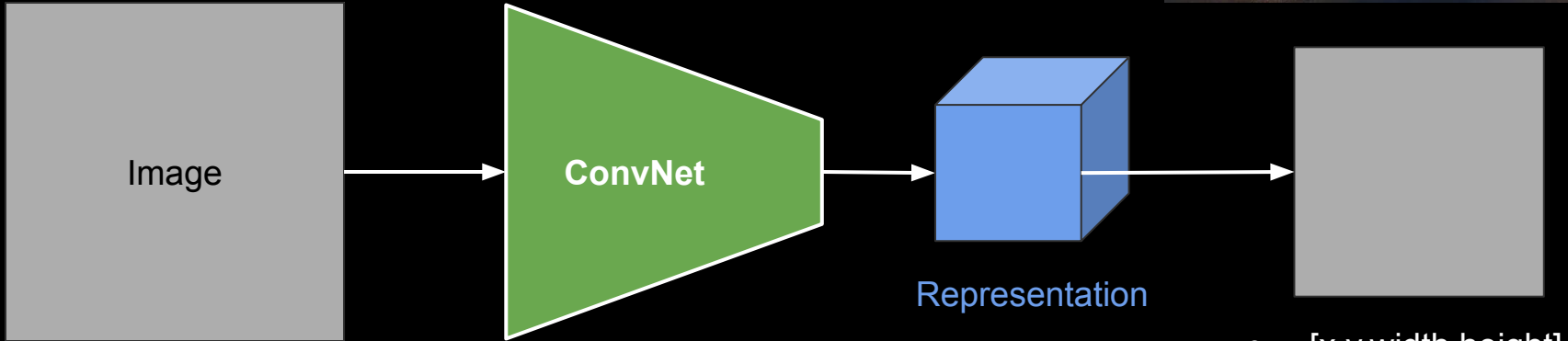
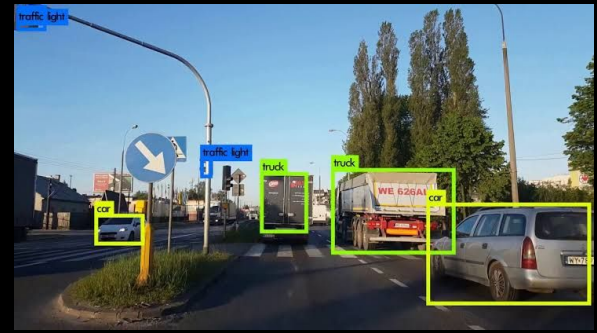
# Reinforcement Learning



# Semantic Segmentation



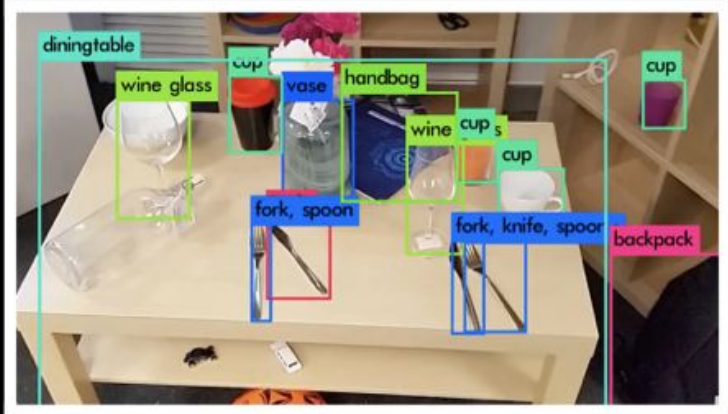
# Object Detection



- [x,y,width,height]
- confidence
- class label



**Perception**



**Interaction**



**World Model & Decision Making**





Probabilistic  
**ROBOTICS**

SEBASTIAN THRUN  
WOLFRAM BURGARD  
DIETER FOX

# Aleatoric and Epistemic Uncertainty

## Aleatoric Uncertainty

- Due to noise inherent in the observations
  - E.g. over-exposure, motion blur
- Can **not** be reduced with more data.
- From Latin “alea” = “dice”


## Epistemic Uncertainty

- Due to lack of knowledge
- Can be reduced by more data.

# Aleatoric Uncertainty



# Aleatoric Uncertainty

A dark, blurry night scene of a road. A bright light source, possibly a car's headlights, is on the left, creating a large lens flare. In the distance, a speed limit sign with the number '40' is visible on the right side of the road. The overall image is dark and out of focus, emphasizing the concept of uncertainty.
$$\mathcal{L}_{\text{NN}}(\theta) = \frac{1}{N} \sum_{i=1}^N \frac{1}{2\sigma(\mathbf{x}_i)^2} \|\mathbf{y}_i - \mathbf{f}(\mathbf{x}_i)\|^2 + \frac{1}{2} \log \sigma(\mathbf{x}_i)^2$$

Heteroscedastic Noise Term

What Uncertainties Do We Need in Bayesian Deep Learning for Computer Vision?  
Alex Kendall and Yarin Gal, NeurIPS 2017.

# Epistemic Uncertainty



# Epistemic Uncertainty

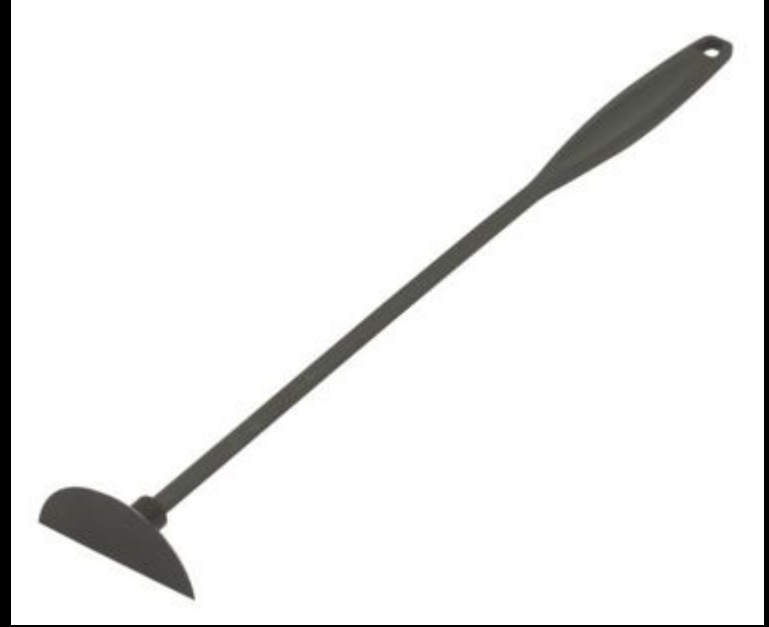


Okapi

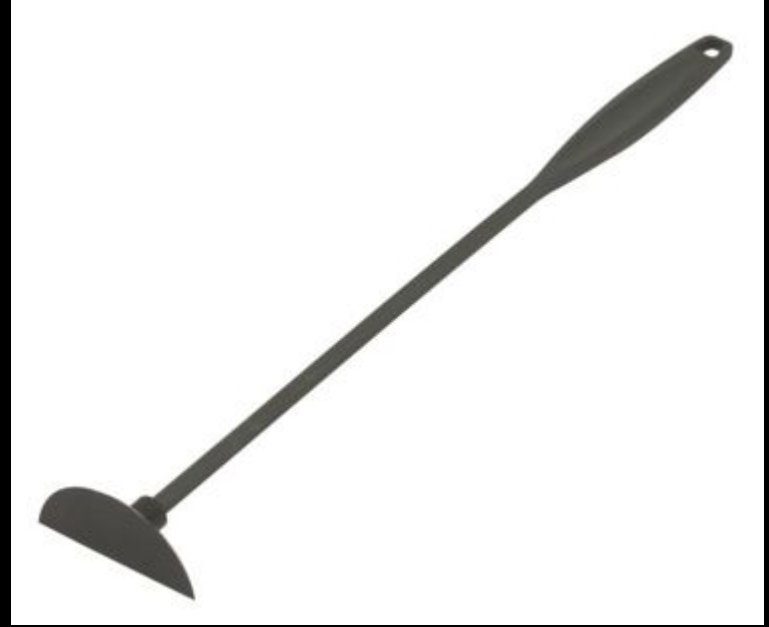


Rambutan

# Epistemic Uncertainty



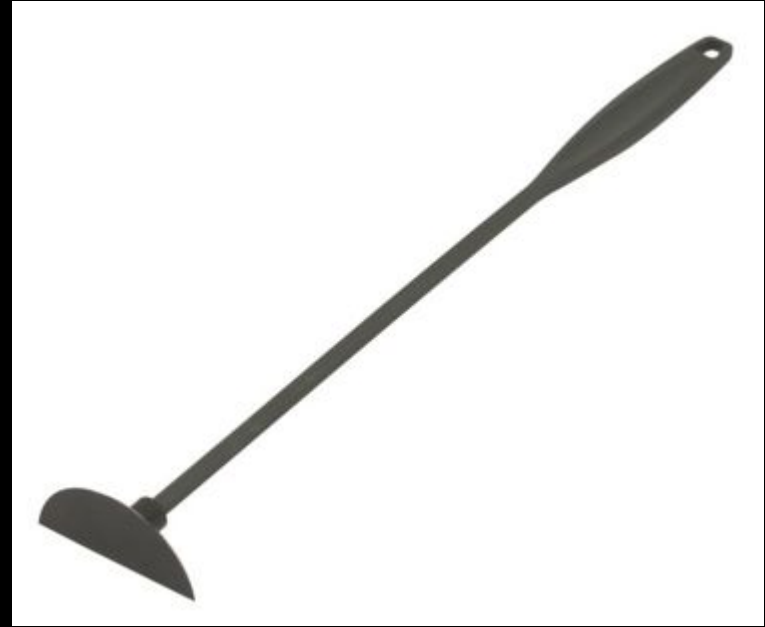
# Epistemic Uncertainty



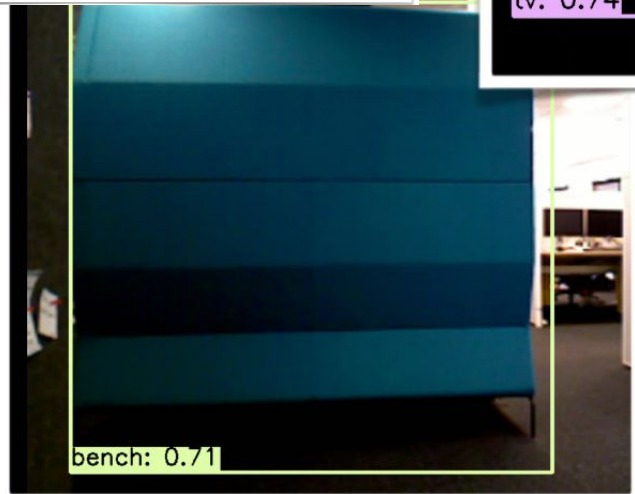
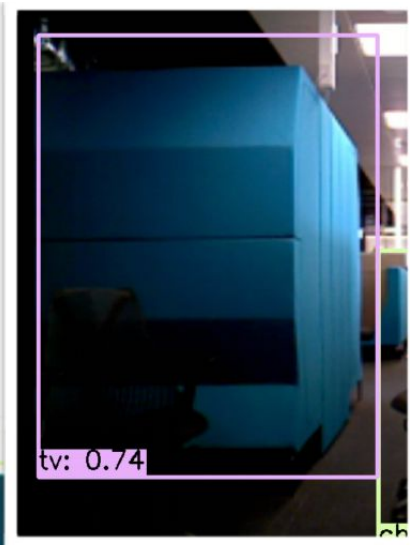
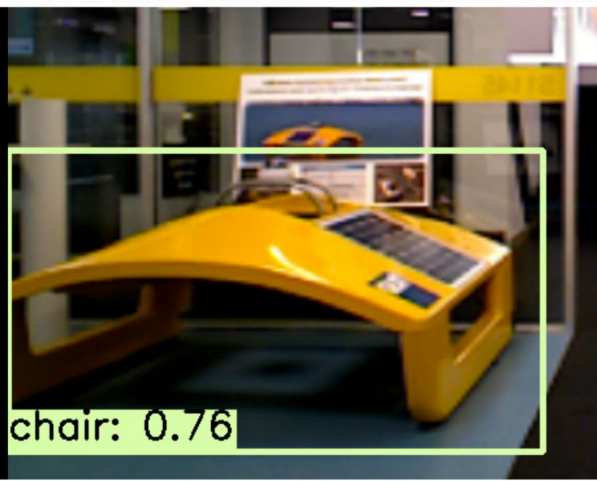
Flessenlikker

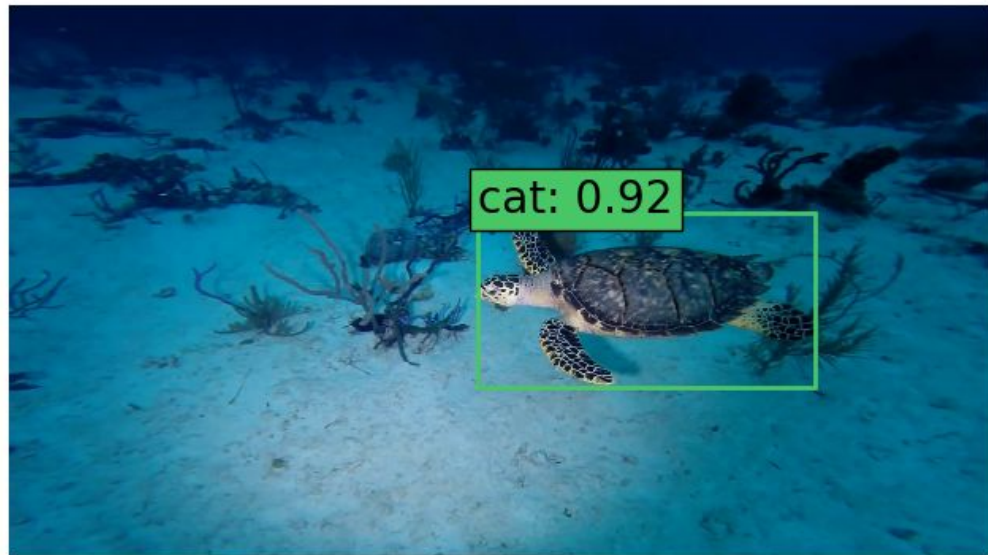


# Epistemic Uncertainty



Flessenlikker





Input



Prediction

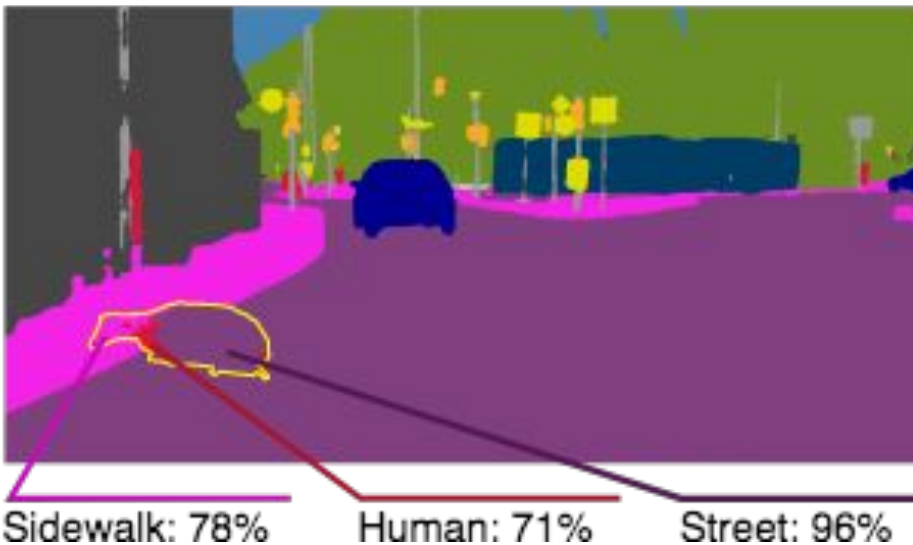
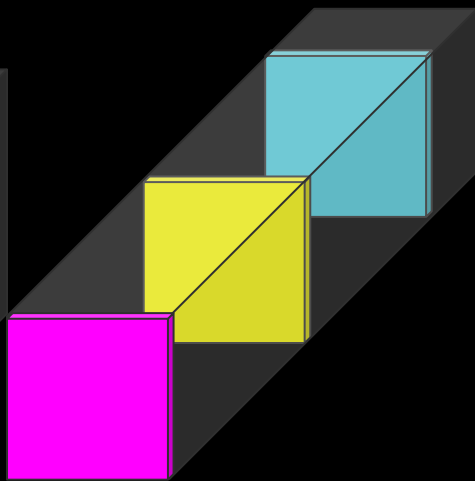
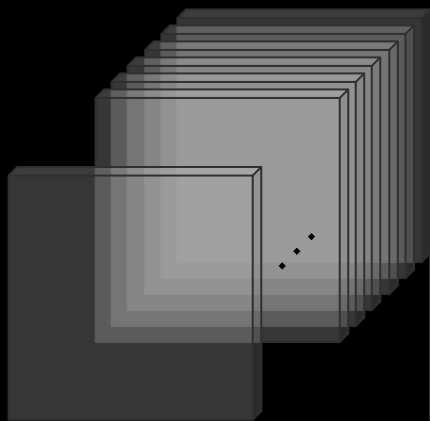
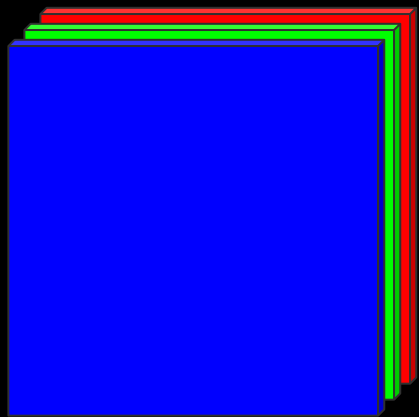


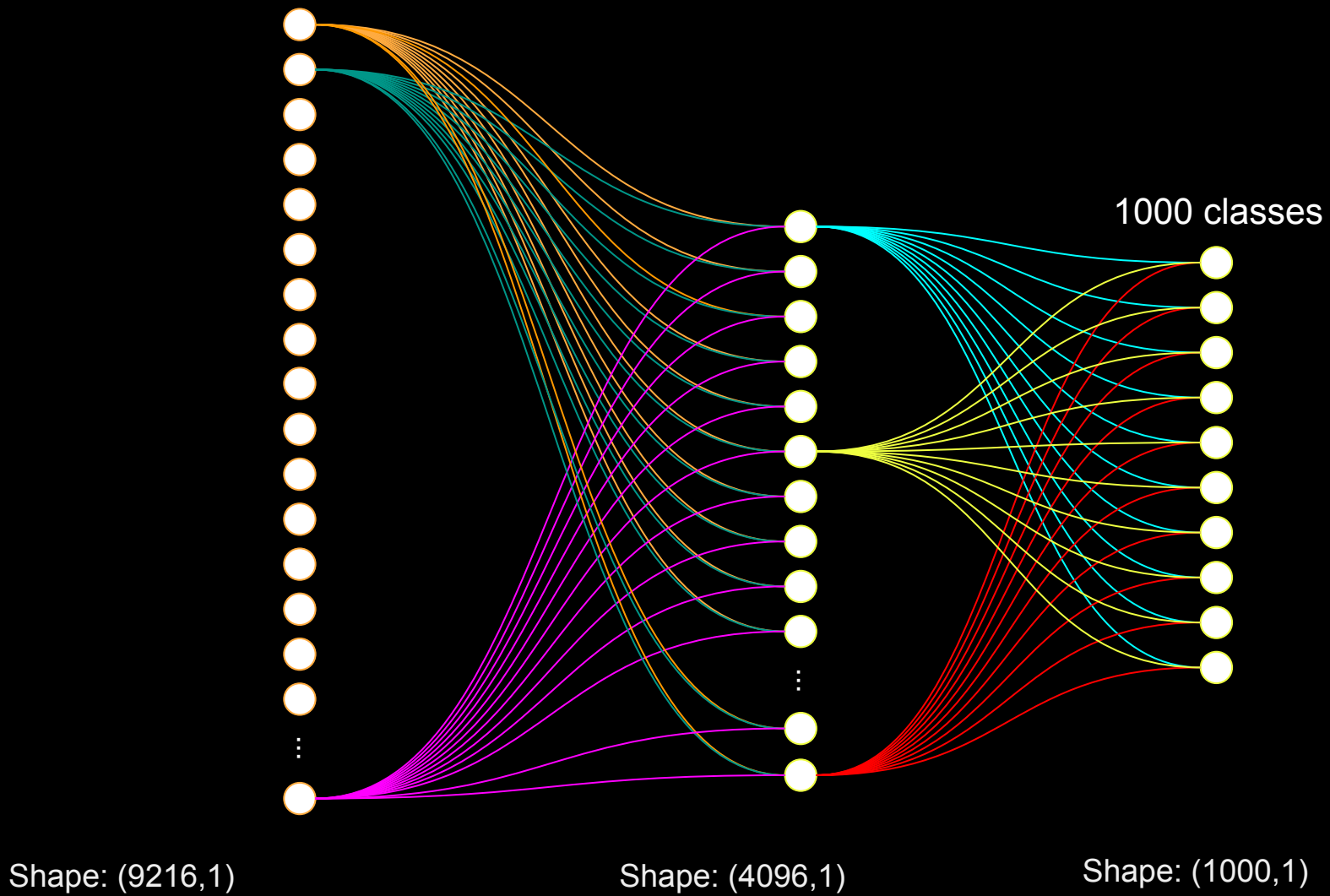
Image credit: Hermann Blum et al.

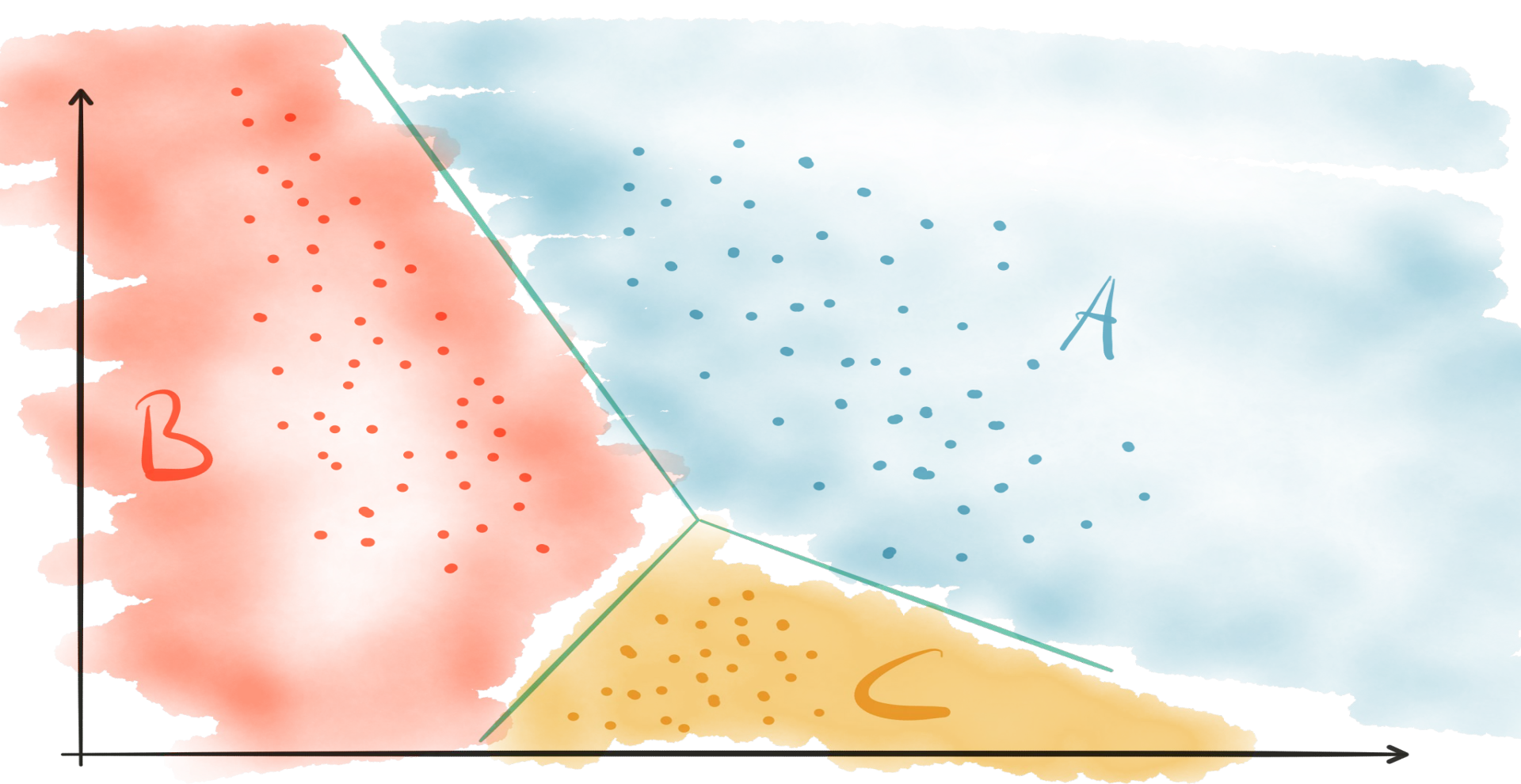
<https://fishyscapes.com/>

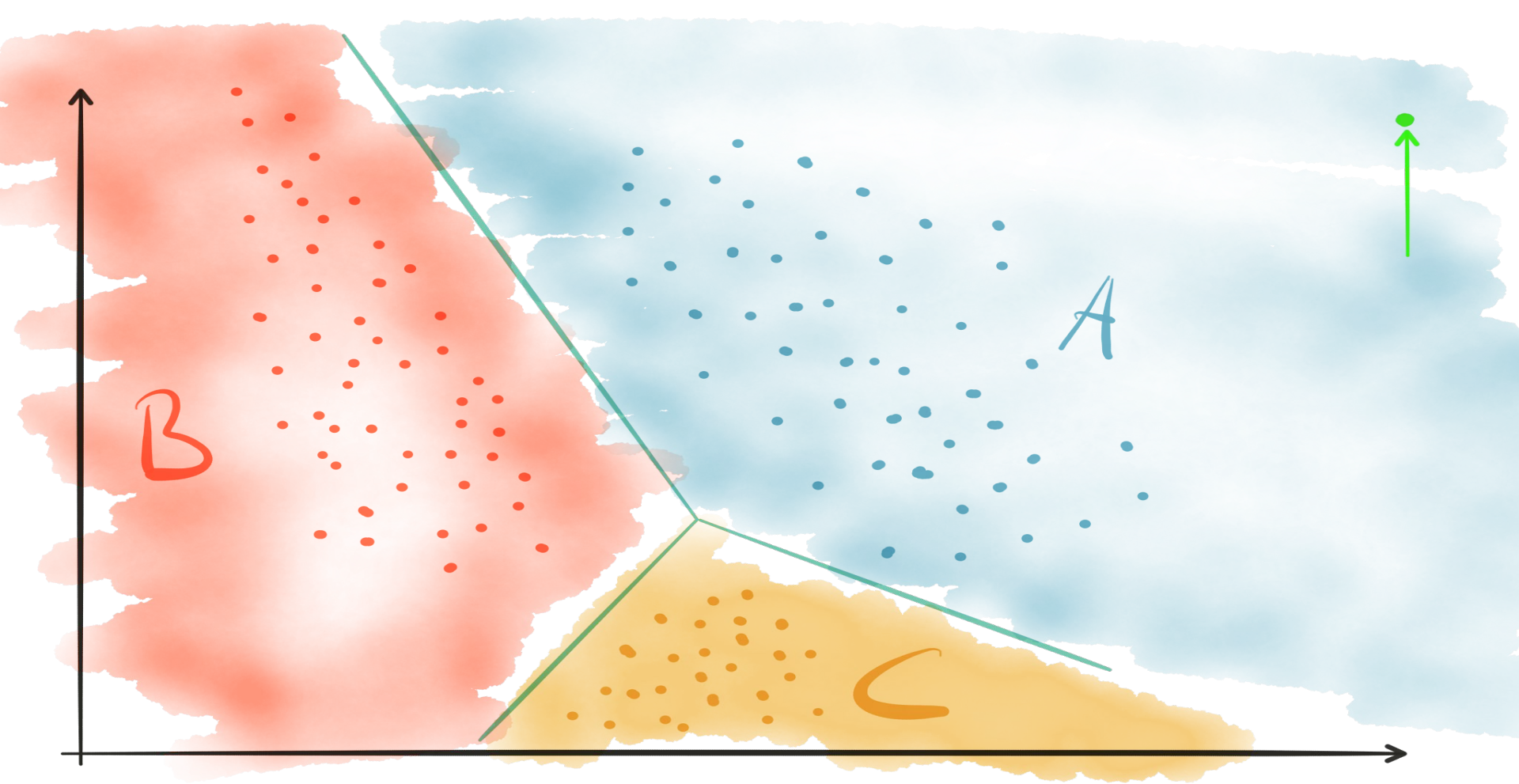
The Fishyscapes Benchmark: Measuring Blind Spots in Semantic Segmentation.

*Blum, Hermann and Sarlin, Paul-Edouard and Nieto, Juan and Siegwart, Roland and Cadena, Cesar.* <https://arxiv.org/pdf/1904.03215.pdf>

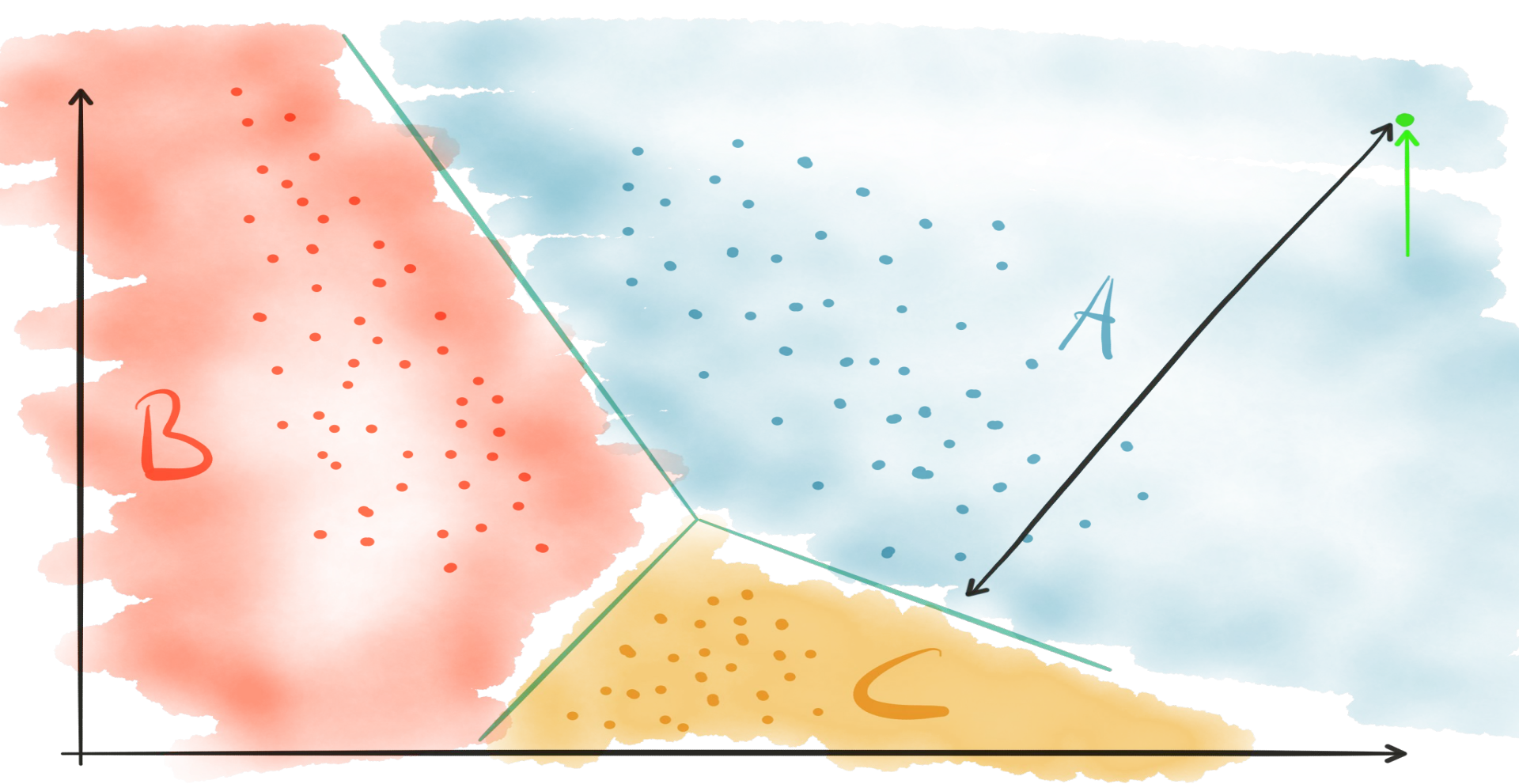












# The Open-Set Problem

Training under **Closed-Set** conditions. Deployment under **Open-Set** conditions.

- Carefully curated training (and test) datasets vs. the real world.
- Relevant for perception and action.



# The Open-Set Problem

Training under **Closed-Set** conditions. Deployment under **Open-Set** conditions.

- Distribution of classes, conditions, appearance, imaging conditions (viewpoint, motion blur, focus, arrangement, ...), noise, system dynamics, ... differs between training and deployment.

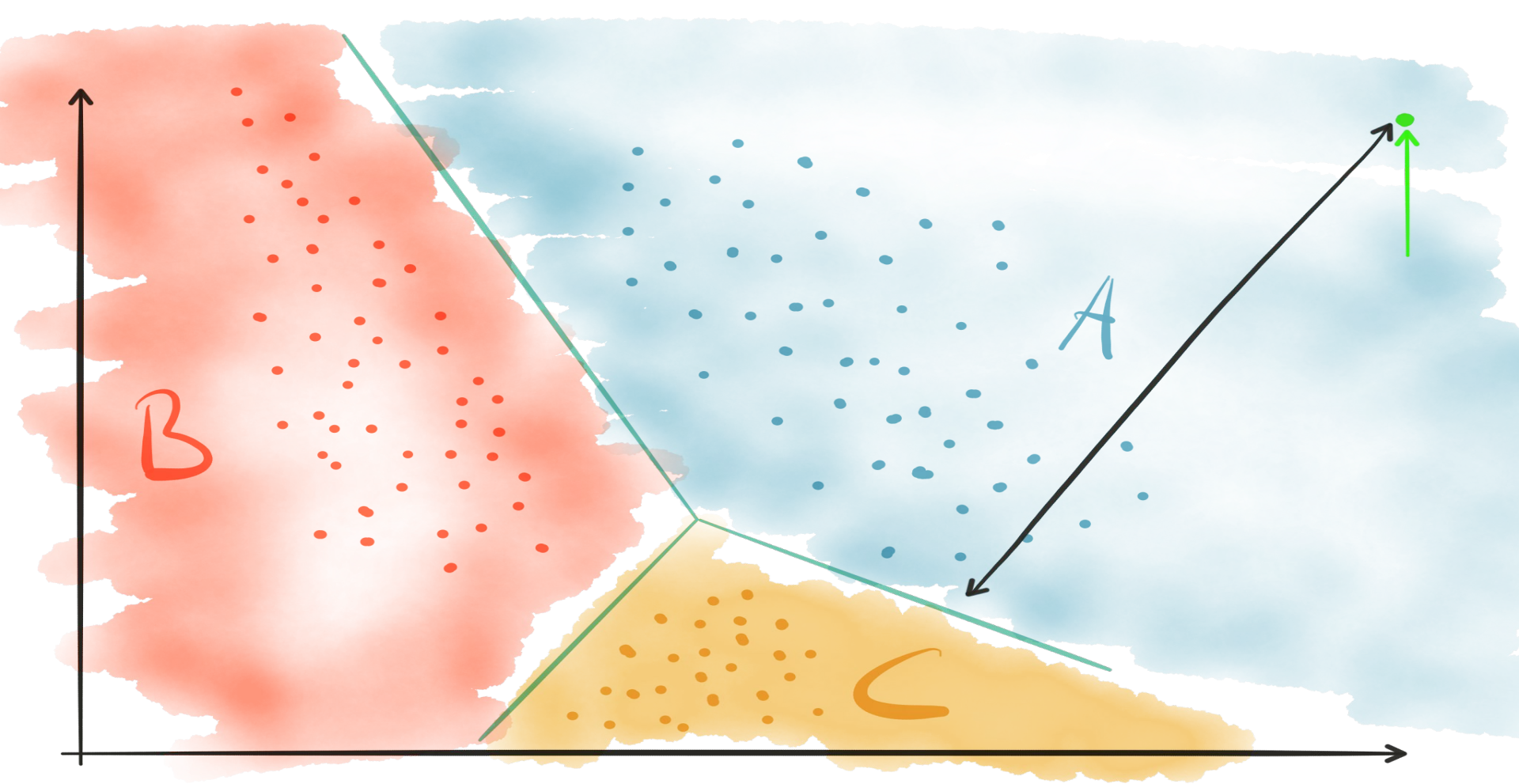


# The Open-Set Problem

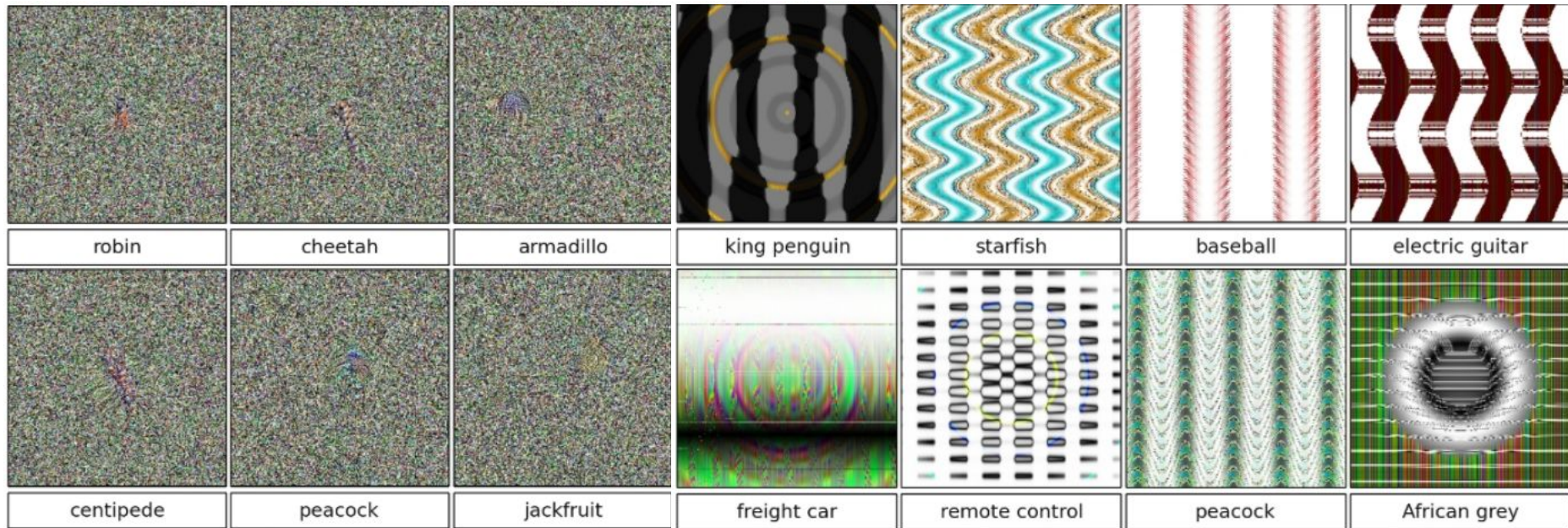
Training under **Closed-Set** conditions. Deployment under **Open-Set** conditions.

- out-of-distribution detection, anomaly detection, novelty detection





# Fooling Networks



Training on ImageNet, confidence > 99.6%

Deep Neural Networks are Easily Fooled: High Confidence Predictions for Unrecognizable Images (Nguyen et al., CVPR 2015)

# Adversarial Examples



$x$

“panda”

57.7% confidence

+ .007 ×



$\text{sign}(\nabla_x J(\theta, x, y))$

“nematode”

8.2% confidence

=

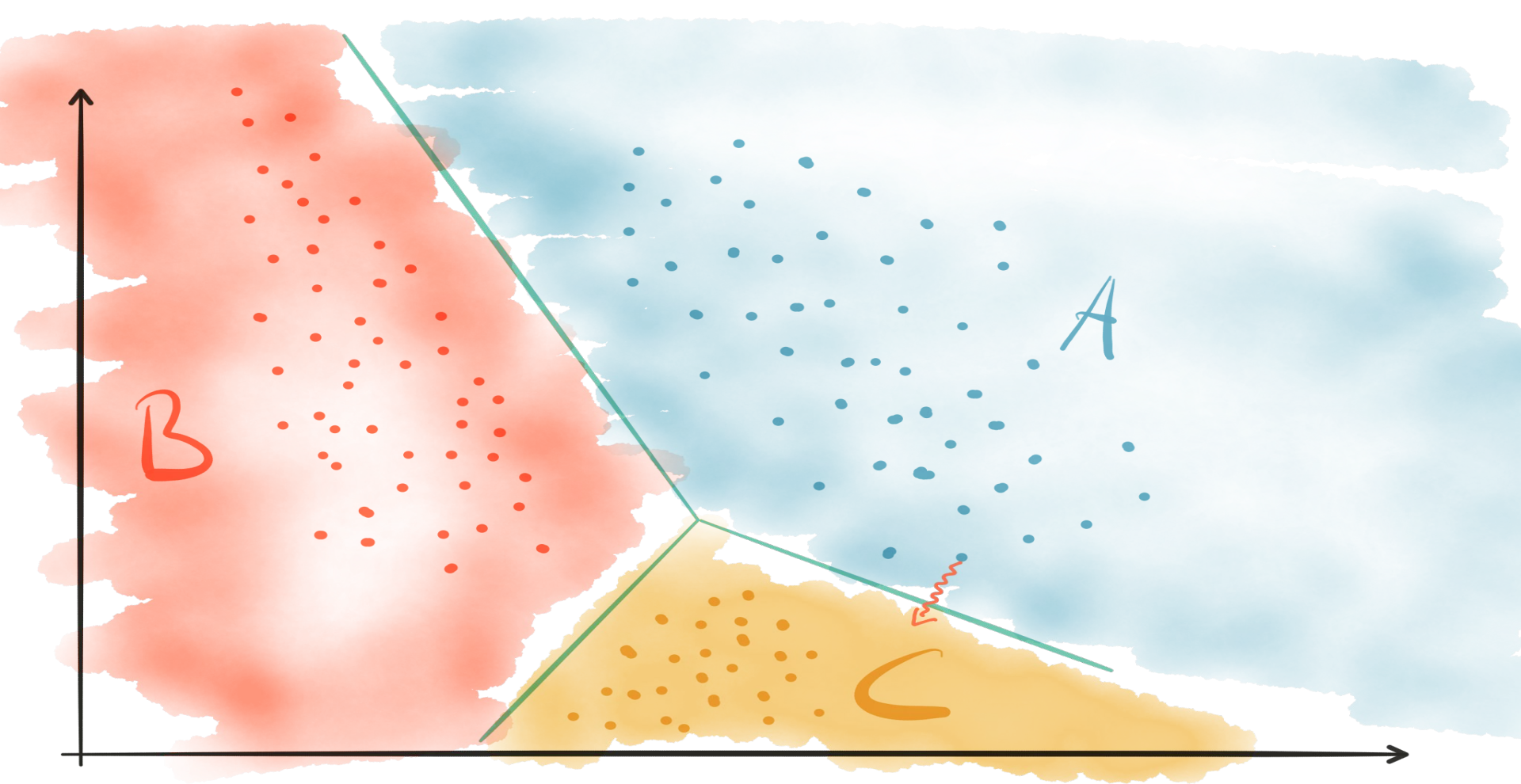


$x +$

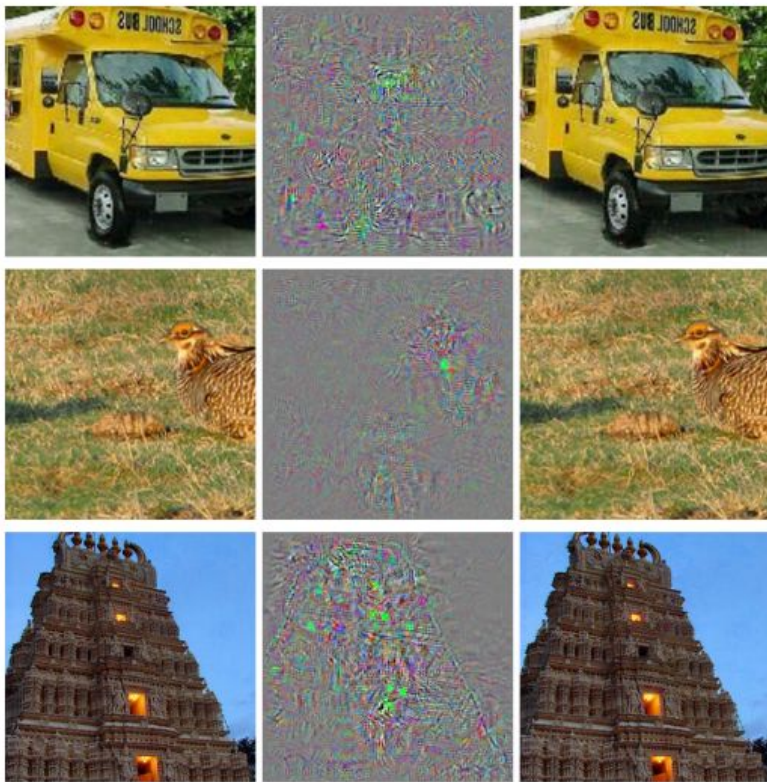
$\epsilon \text{sign}(\nabla_x J(\theta, x, y))$

“gibbon”

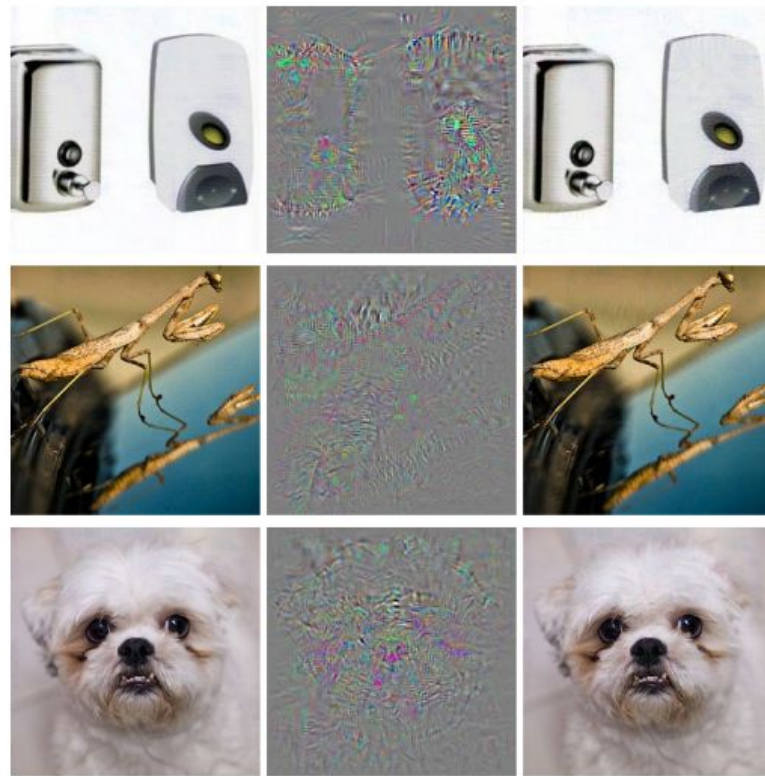
99.3 % confidence







correctly classified + distortion = “ostrich”



correctly classified + distortion = “ostrich”

Intriguing properties of neural networks (Szegedy et al., 2013)

# Why should we care about uncertainty?

- Reliability, Safety, Trust
  - Know when the network does not know.
  - (and take appropriate action)
- Bayesian Fusion
  - Treat deep networks like any other sensor: fuse predictions with other sensors or prior knowledge in a Bayesian way.
- Active Learning
  - When uncertain, ask for help!
- Interpretability
  - More insights into the training process?

*The Limits and Potentials of Deep Learning for Robotics*. Sünderhauf, Brock, Scheirer, Hadsell, Fox, Leitner, Upcroft, Abbeel, Burgard, Milford, Corke. IJRR 2018.



## The limits and potentials of deep learning for robotics

Niko Sünderhauf<sup>1</sup>, Oliver Brock<sup>2</sup>, Walter Scheirer<sup>3</sup>, Raia Hadsell<sup>4</sup>,  
Dieter Fox<sup>5</sup>, Jürgen Leitner<sup>1</sup>, Ben Upcroft<sup>6</sup>, Pieter Abbeel<sup>7</sup>,  
Wolfram Burgard<sup>8</sup>, Michael Milford<sup>1</sup> and Peter Corke<sup>1</sup>

### Abstract

*The application of deep learning in robotics leads to very specific problems and research questions that are typically not addressed by the computer vision and machine learning communities. In this paper we discuss a number of robotics-specific learning, reasoning, and embodiment challenges for deep learning. We explain the need for better evaluation metrics, highlight the importance and unique challenges for deep robotic learning in simulation, and explore the spectrum between purely data-driven and model-driven approaches. We hope this paper provides a motivating overview of important research directions to overcome the current limitations, and helps to fulfill the promising potentials of deep learning in robotics.*

### Keywords

Robotics, deep learning, machine learning, robotic vision

### 1. Introduction

A robot is an inherently active agent that interacts with the real world, and often operates in uncontrolled or detrimental conditions. Robots have to perceive, decide, plan, and execute actions, all based on incomplete and uncertain knowledge. Mistakes can lead to potentially catastrophic results that will not only endanger the success of the robot's mission, but can even put human lives at risk, e.g. if the robot is a driverless car.

The application of deep learning in robotics therefore motivates research questions that differ from those typically addressed in computer vision: How much trust can we put in the predictions of a deep learning system when misclassifications can have catastrophic consequences? How can we estimate the uncertainty in a deep network's predictions and how can we fuse these predictions with prior knowledge and other sensors in a probabilistic framework? How well does deep learning perform in realistic unconstrained open-set scenarios where objects of unknown class and appearance are regularly encountered?

If we want to use data-driven learning approaches to generate motor commands for robots to move and act in the world, we are faced with additional challenging questions: How can we generate enough high-quality training data? Do we rely on data solely collected on robots in real-world scenarios or do we require data augmentation through simulation? How can we ensure the learned policies transfer well

to different situations, from simulation to reality, or between different robots?

This leads to further fundamental questions: How can the structure, the constraints, and the physical laws that govern robotic tasks in the real world be leveraged and exploited by a deep learning system? Is there a fundamental difference between model-driven and data-driven problem solving, or are these rather two ends of a spectrum?

This paper explores some of the challenges, limits, and potentials for deep learning in robotics. The invited speakers and organizers of the workshop on *The Limits and*

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<sup>5</sup>Paul G. Allen School of Computer Science & Engineering, University of Washington, WA, USA


<sup>6</sup>Oxbotica Ltd., Oxford, UK

<sup>7</sup>UC Berkeley, Department of Electrical Engineering and Computer Sciences, CA, USA

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Email: niko.sunderhauf@roboticvision.org

A 3D visualization of a road scene. A purple vehicle is shown on a road with white dashed lane markings. A white arrow points to a small orange object on the road surface, labeled as a bicycle. Yellow curved lines represent the vehicle's sensor range. The background is a dark blue grid representing a map.

Object  
detected  
as bicycle



**VEHICLE AUTOMATION REPORT**

**Tempe, AZ**

**HWY18MH010**

(16 pages)

According to data obtained from the self-driving system, the system first registered radar and LIDAR observations of the pedestrian about 6 seconds before impact, when the vehicle was traveling at 43 mph.

As the vehicle and pedestrian paths converged, the self-driving system software **classified the pedestrian as an unknown object, as a vehicle, and then as a bicycle with varying expectations of future travel path.**

At 1.3 seconds before impact, the self-driving system determined that an emergency braking maneuver was needed ...



**VEHICLE AUTOMATION REPORT**

**Tempe, AZ**

**HWY18MH010**

(16 pages)



**LOST**

**CONFUSED**

**UNSURE**

**UNCLEAR**

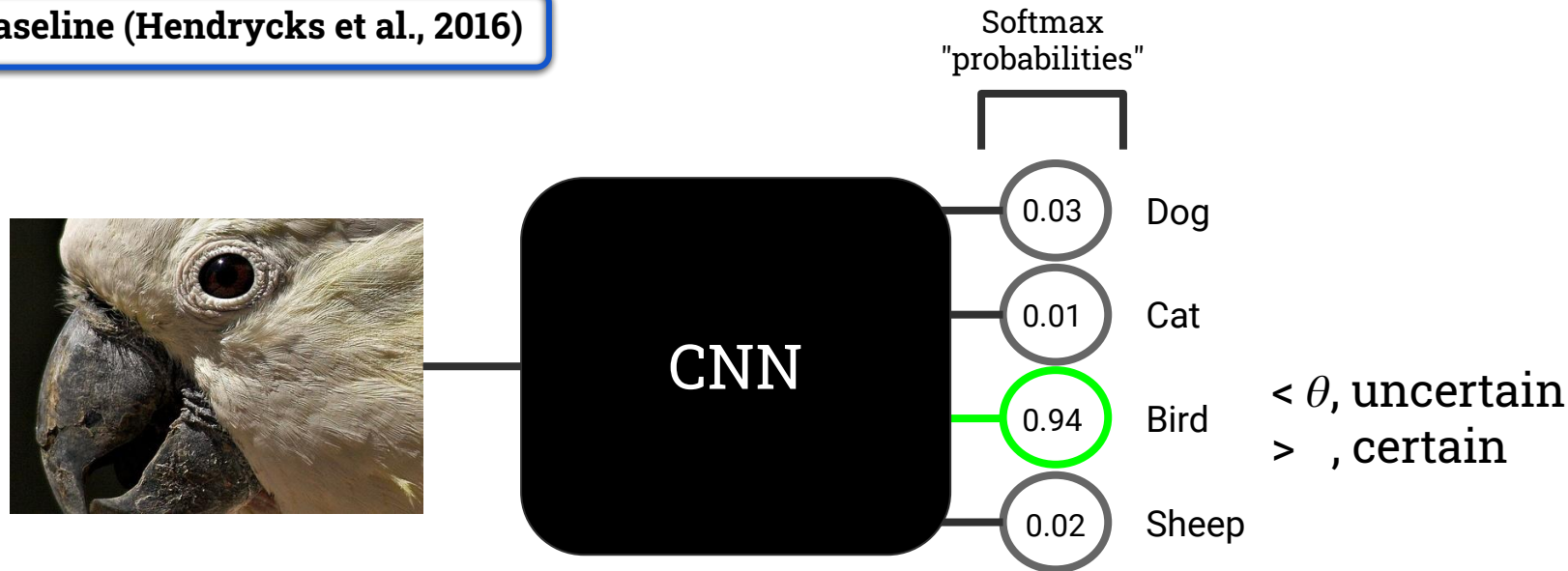
**PERPLEXED**

**DISORIENTED**

**BEWILDERED**

# Softmax-based Uncertainty

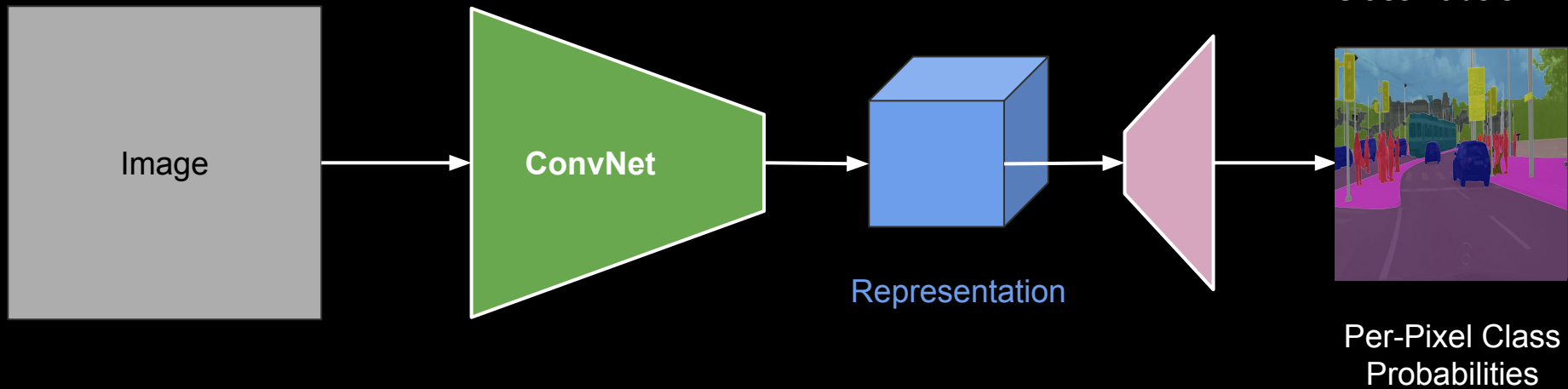
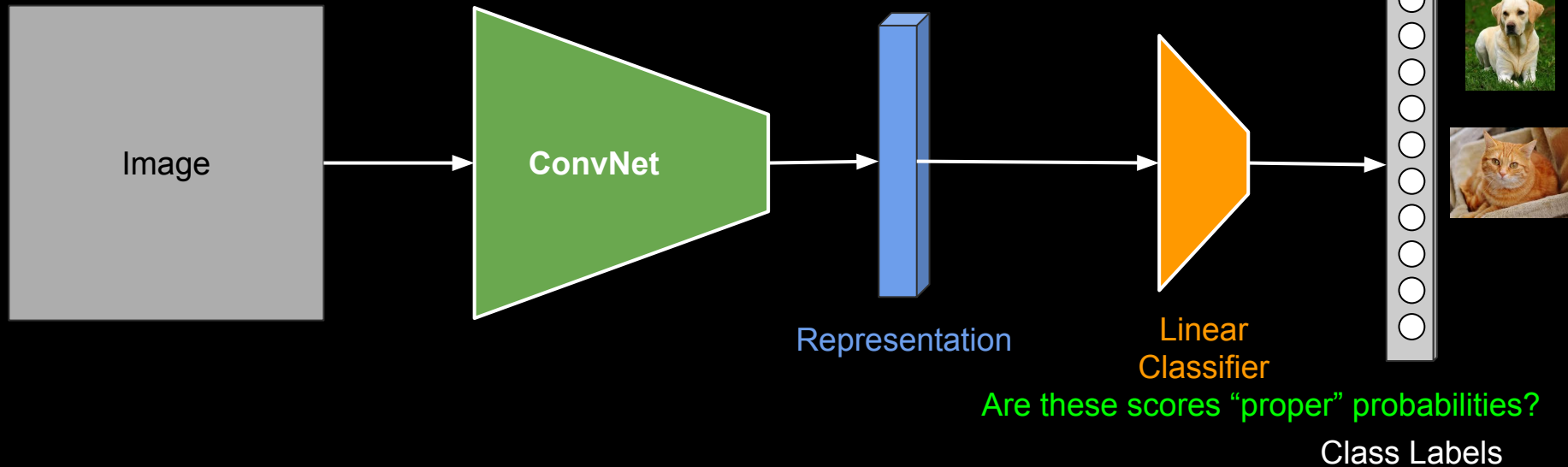
Baseline (Hendrycks et al., 2016)



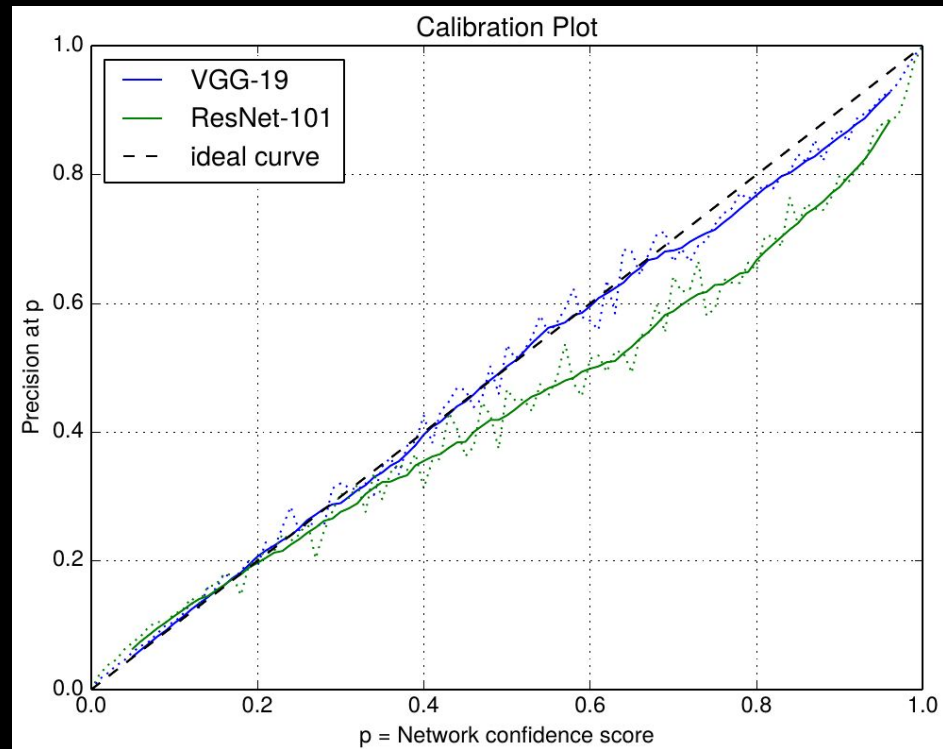
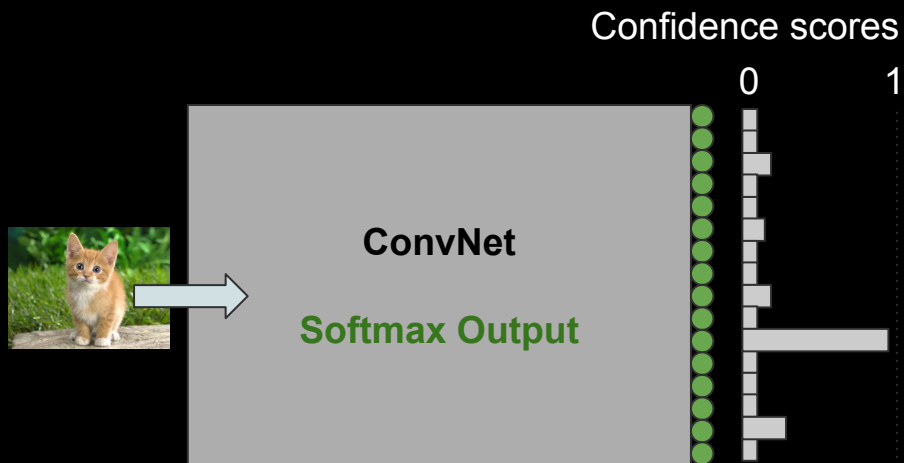
Closed-set Performance  
(Accuracy, mAP, etc.) ✓

Open-set Performance  
(Uncertainty) ✗

Robotic Vision  
(Object Detection/Instance Segmentation) ✓



# Confidence = Probability?

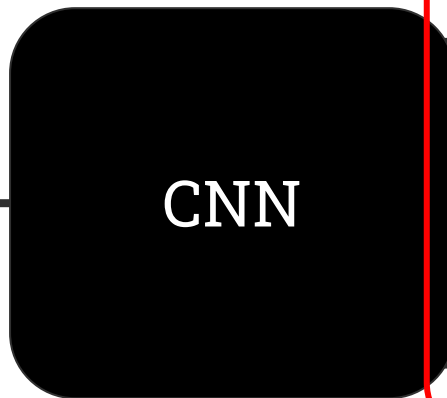




# Softmax-based Uncertainty

Out-of-Distribution detector for Neural networks (ODIN) (Liang et al., 2018)

1. Perturbations to input



Softmax "probabilities"

0.03

Dog

0.01

Cat

0.94

Bird

0.02

Sheep

2. Temperature Scaling

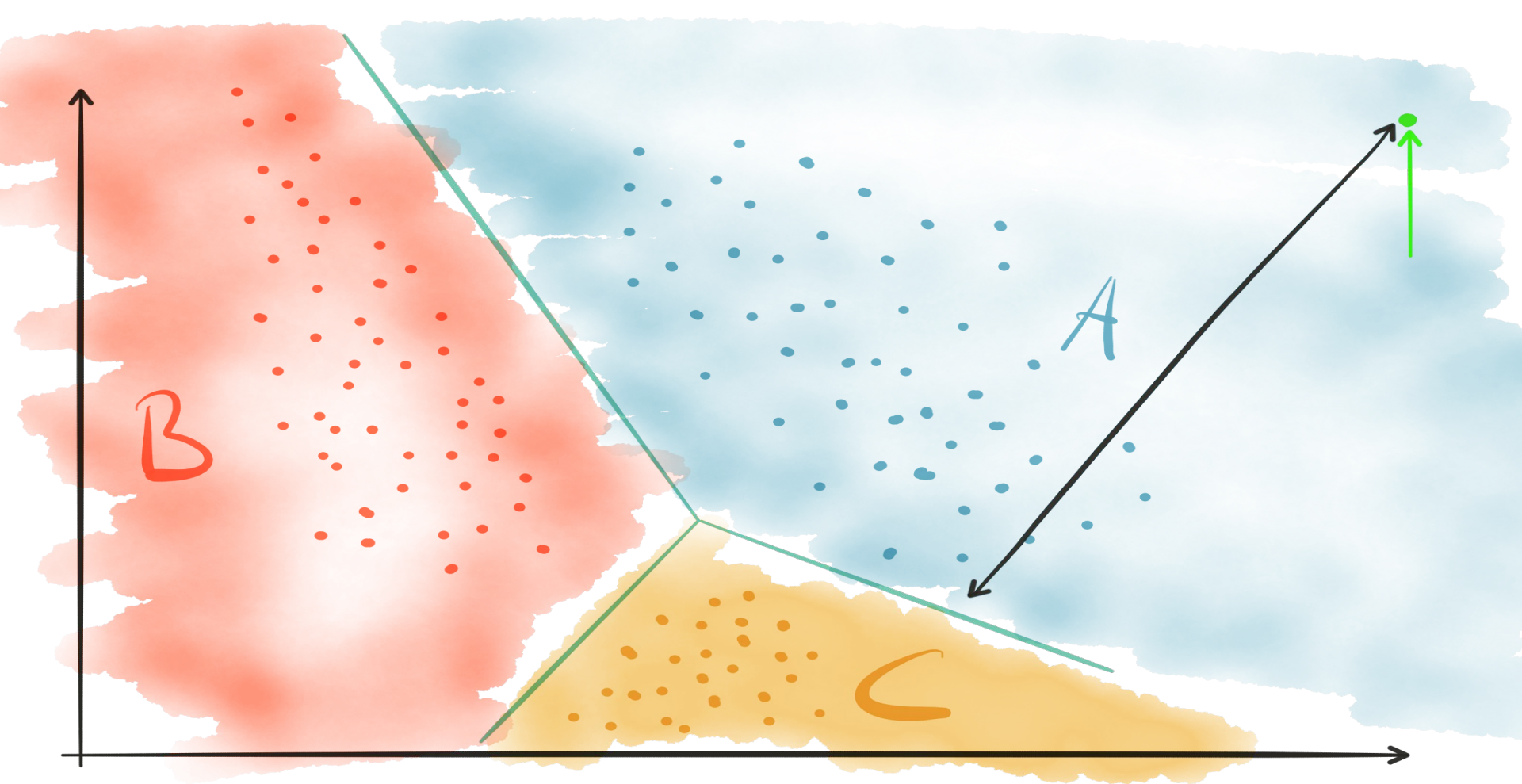
$$S_i(\mathbf{x}; T) = \frac{\exp(f_i(\mathbf{x})/T)}{\sum_{j=1}^N \exp(f_j(\mathbf{x})/T)}$$

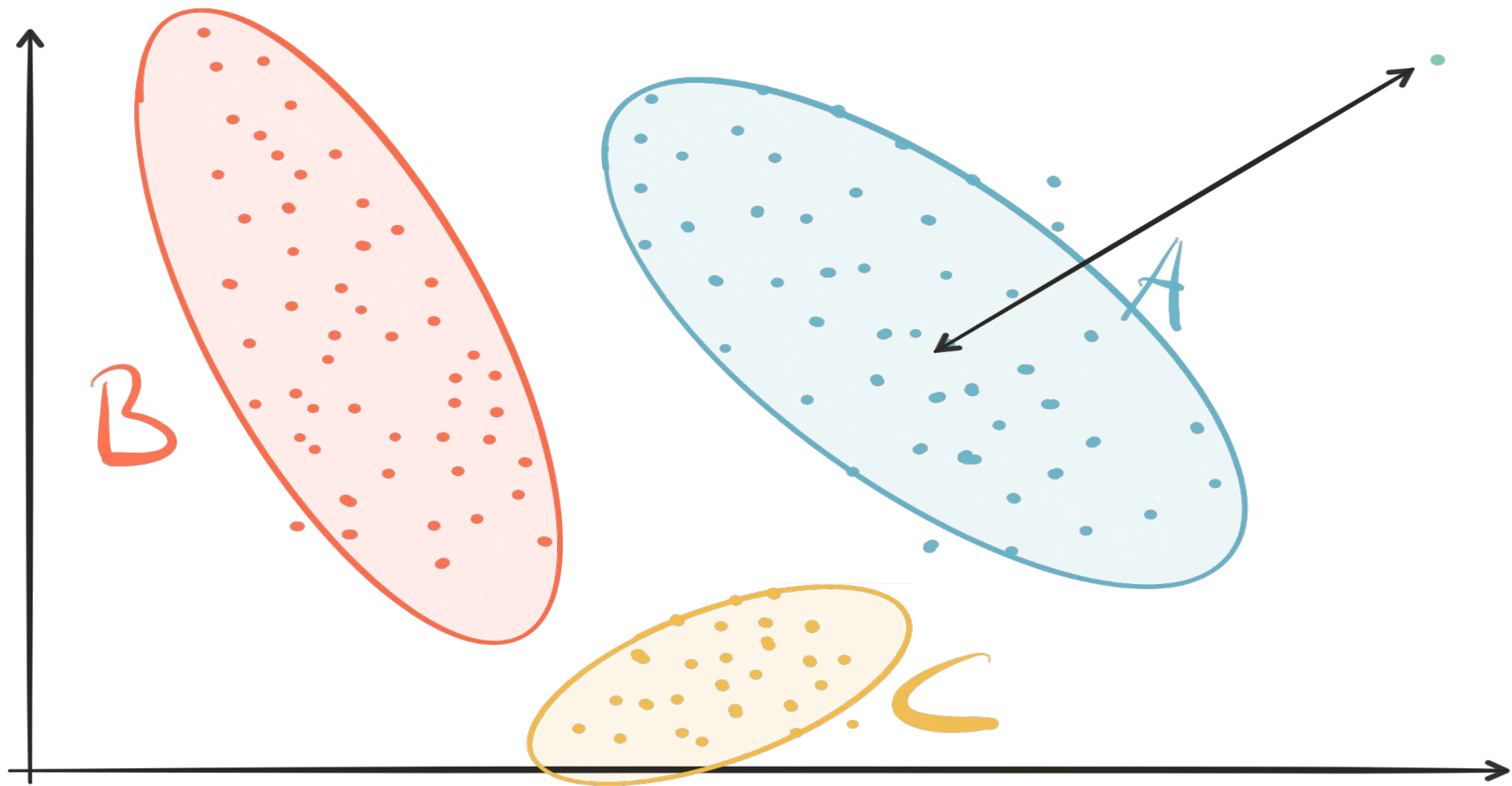
$< \theta$ , uncertain  
 $> \theta$ , certain

Closed-set Performance  
(Accuracy, mAP, etc.) ✓

Open-set Performance  
(Uncertainty) ✗

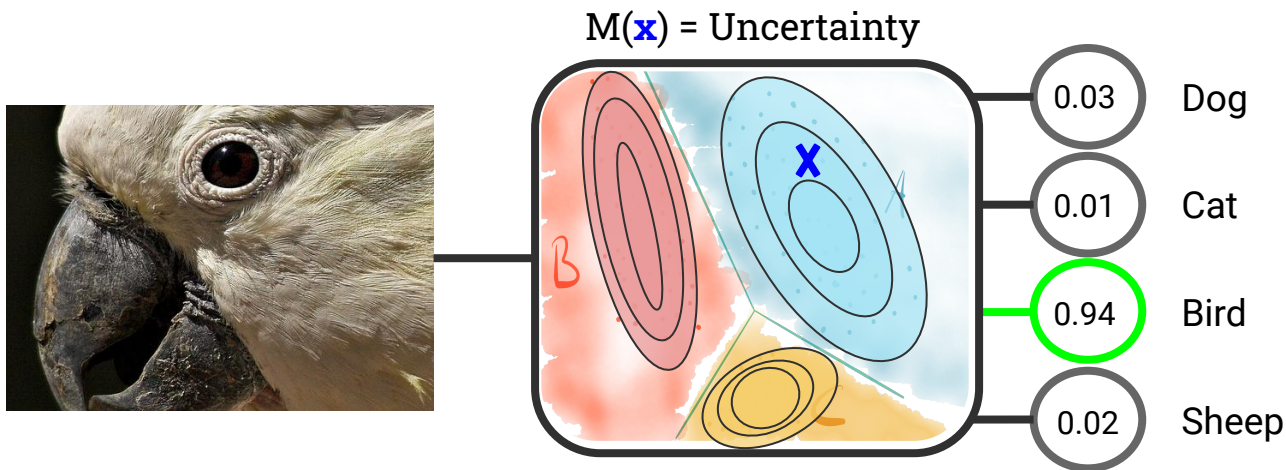
Robotic Vision  
(Object Detection/Instance Segmentation) ✓





# Distance-based Uncertainty with Cross-Entropy Loss

Multivariate Gaussians and Mahalanobis Distance (Lee et al., 2018)



Closed-set Performance  
(Accuracy, mAP, etc.) ✓

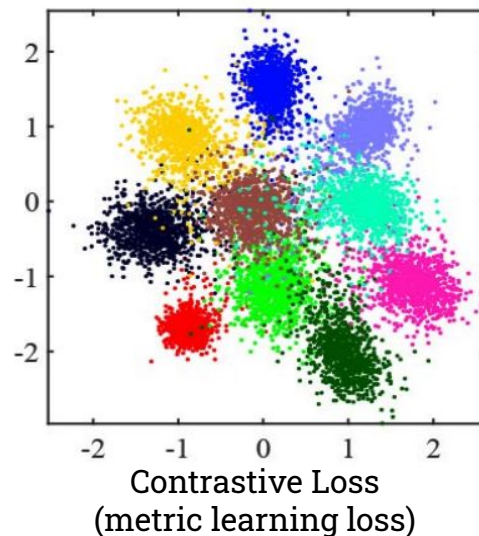
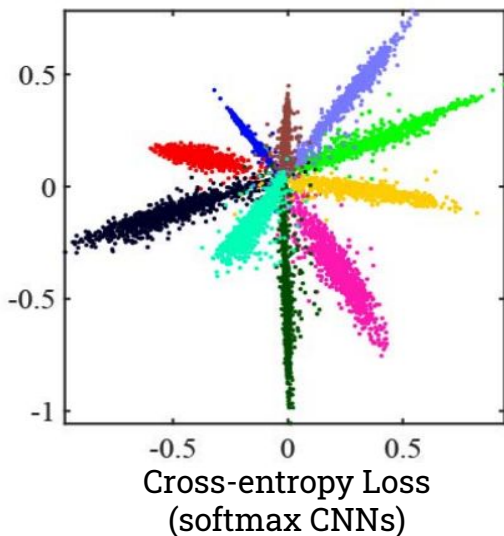
Open-set Performance  
(Uncertainty) ✓

Robotic Vision  
(Object Detection/Instance Segmentation) ✗

# Distance-based Uncertainty with Metric Learning Losses

Contrastive Loss (Masana et al., 2018)

Gaussian Kernel Loss (Meyer et al., 2019)



(Image: Horiguchi et al., 2017)

Closed-set Performance  
(Accuracy, mAP, etc.)

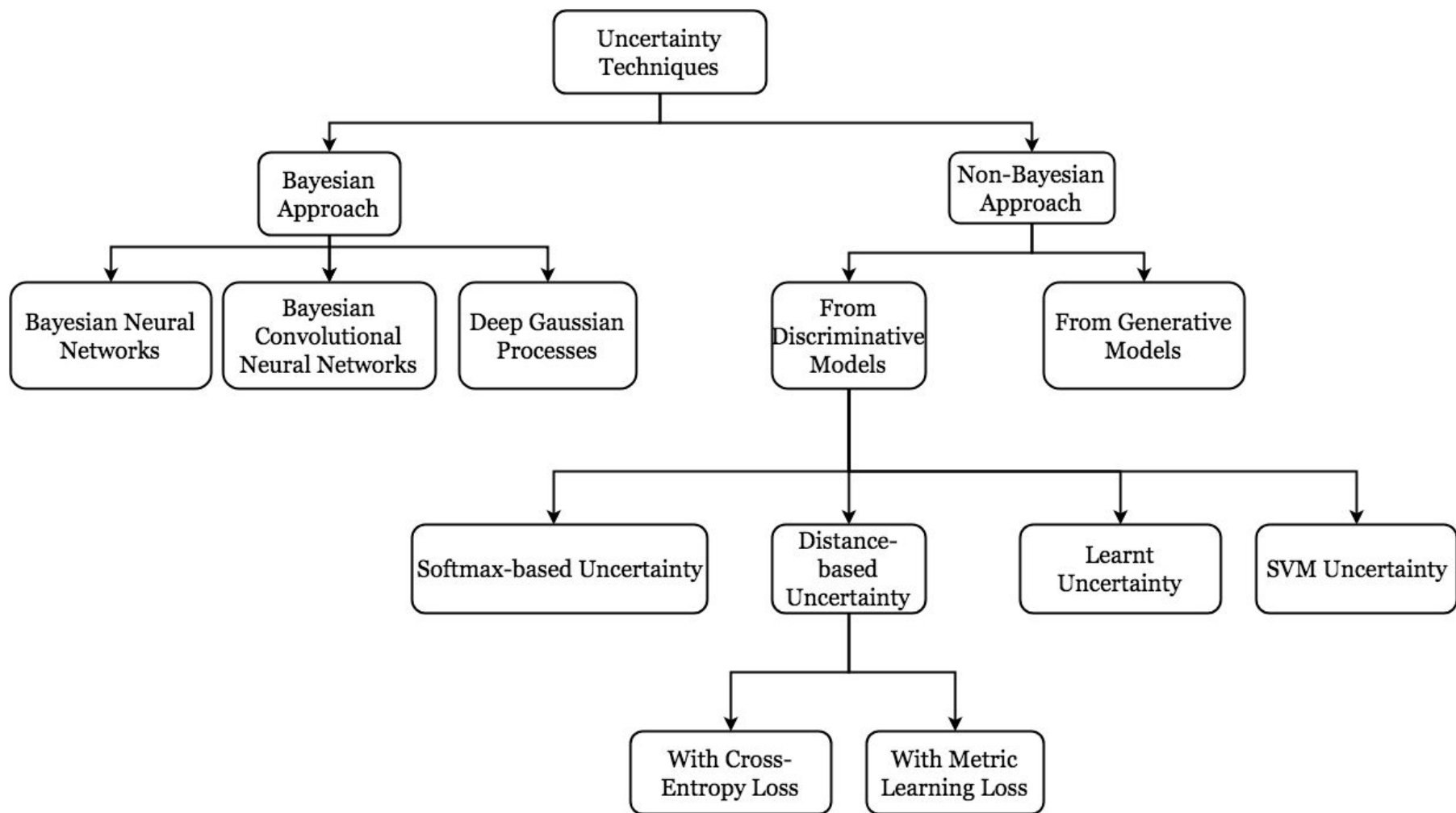


Open-set Performance  
(Uncertainty)

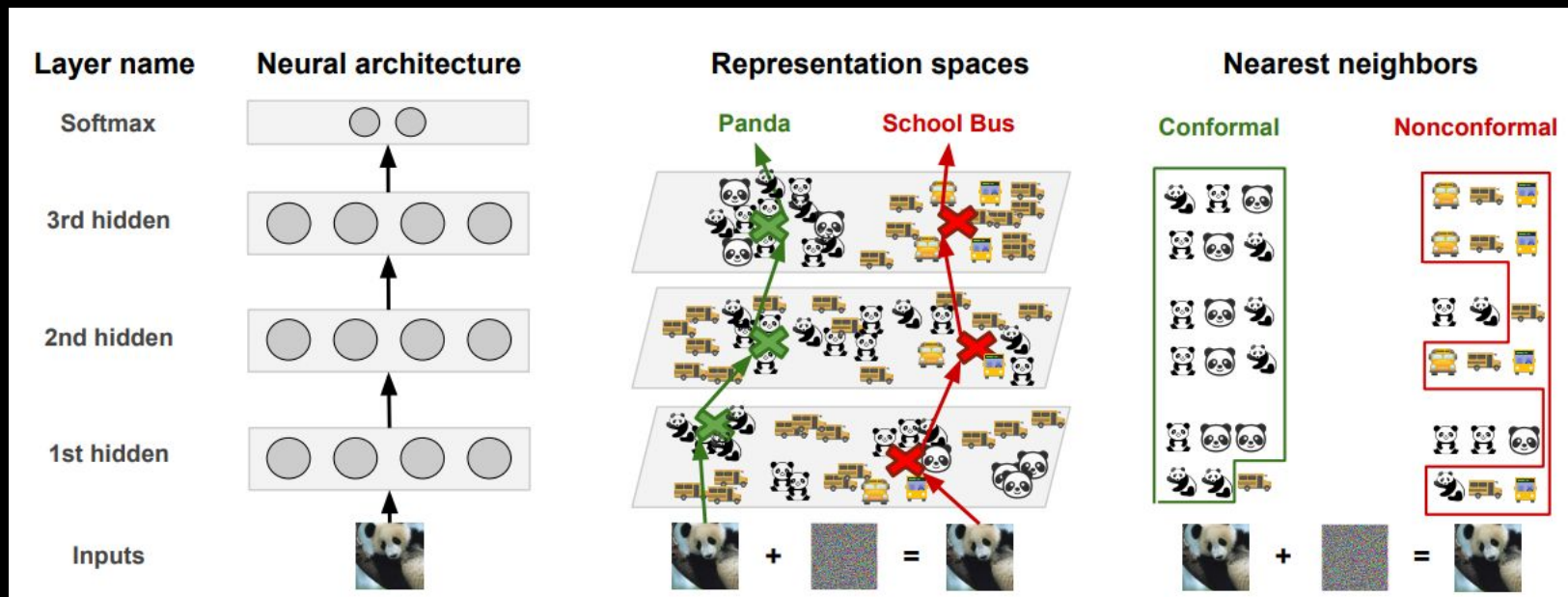


Robotic Vision  
(Object Detection/Instance Segmentation)





# Deep k-Nearest Neighbors



“Deep k-Nearest Neighbors: Towards Confident, Interpretable and Robust Deep Learning”. Nicolas Papernot and Patrick McDaniel

# Evaluating Uncertainty Techniques for Robotic Vision

## Low Resolution Datasets



## Non-diverse Datasets

Dataset	# Classes
CIFAR-10	10
SVHN	10
LSUN	10
MNIST	10
CIFAR-100	100

## Unrealistic Open-set Conditions

Known



CIFAR-10

Open-set



SVHN

LSUN

Shafaei et al., 2018



Input



Prediction

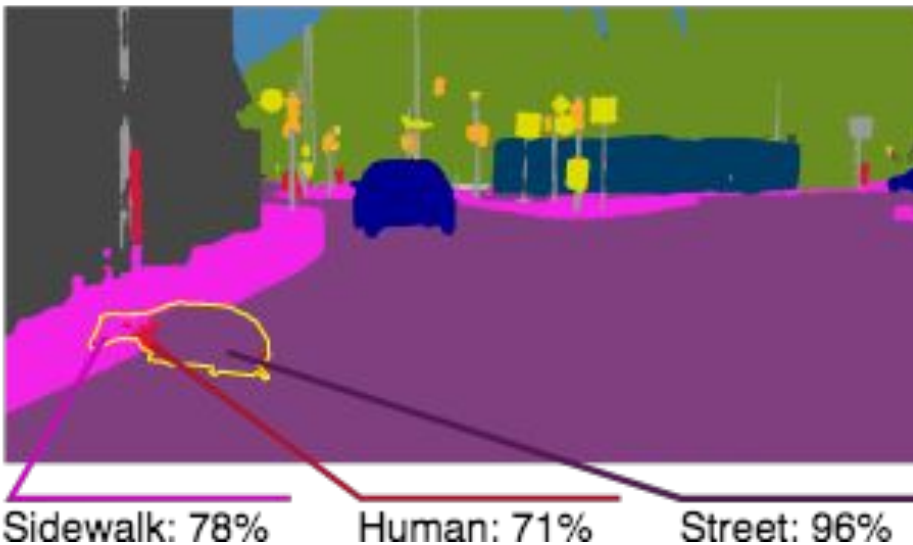


Image credit: Hermann Blum et al.

<https://fishyscapes.com/>

The Fishyscapes Benchmark: Measuring Blind Spots in Semantic Segmentation.

Blum, Hermann and Sarlin, Paul-Edouard and Nieto, Juan and Siegwart, Roland and Cadena, Cesar. <https://arxiv.org/pdf/1904.03215.pdf>



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**BEWILDERED**

# Bayesian Deep Learning

## “Normal” Deep Learning

- CNN is a function  $f$  with parameters  $w$
- $f(x)$  generates labels  $y$
- we seek the optimal parameters  $w$  (via stochastic gradient descent etc)

training inputs  $\mathbf{X} = \{\mathbf{x}_1, \dots, \mathbf{x}_N\}$   
outputs  $\mathbf{Y} = \{\mathbf{y}_1, \dots, \mathbf{y}_N\}$   
 $\mathbf{y} = \mathbf{f}^\omega(\mathbf{x})$

## Bayesian Deep Learning

- Use a prior  $p(\omega)$  on the network parameters
- Learning is finding the posterior over parameters  $p(\omega|\mathbf{X}, \mathbf{Y})$
- not just one CNN, but a distribution over CNNs!

# Bayesian Deep Learning

**Classify** a new input image  $x$  = **inference**:

$$p(\mathbf{y}^* | \mathbf{x}^*, \mathbf{X}, \mathbf{Y}) = \int p(\mathbf{y}^* | \mathbf{x}^*, \boldsymbol{\omega}) p(\boldsymbol{\omega} | \mathbf{X}, \mathbf{Y}) d\boldsymbol{\omega}$$

*intractable!*

Given the training data  $\mathbf{X}, \mathbf{Y}$ , and a new image  $x$ ,  
obtain the distribution over labels  $y$  by ...

... averaging over the individual predictions of  
ALL possible network parameters  $w$ !

learning:  $p(\boldsymbol{\omega} | \mathbf{X}, \mathbf{Y}) = \frac{p(\mathbf{Y} | \mathbf{X}, \boldsymbol{\omega}) p(\boldsymbol{\omega})}{p(\mathbf{Y} | \mathbf{X})}$

*intractable!*

$$p(\mathbf{Y} | \mathbf{X}) = \int p(\mathbf{Y} | \mathbf{X}, \boldsymbol{\omega}) p(\boldsymbol{\omega}) d\boldsymbol{\omega}$$

*intractable!*

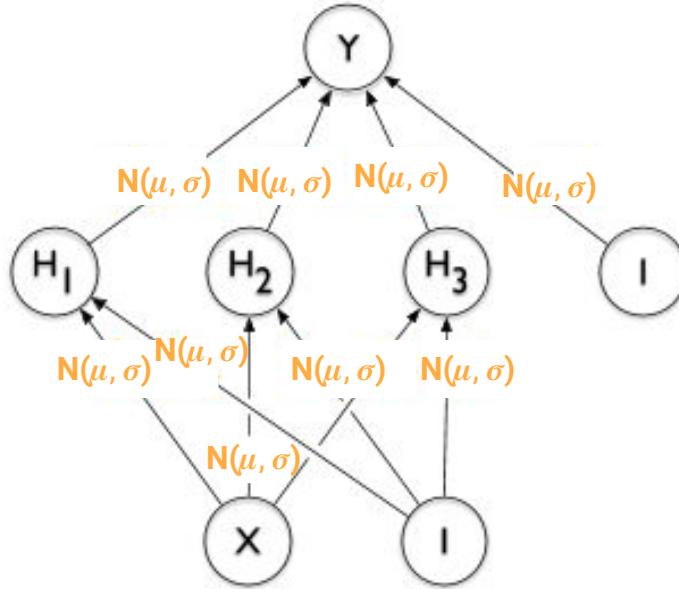
**We need approximations!**

# Bayesian Neural Networks

Output

Hidden Layer

Input



Posterior

Intractable

$$p(\omega | \mathbf{X}, \mathbf{Y}) = \frac{p(\mathbf{Y} | \mathbf{X}, \omega) p(\omega)}{p(\mathbf{Y} | \mathbf{X})}$$

Approximate Posterior

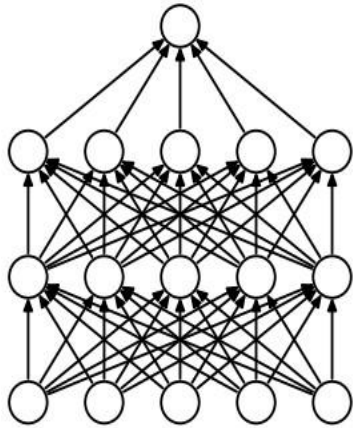
Variational Inference

Approximate Bayesian Neural Network

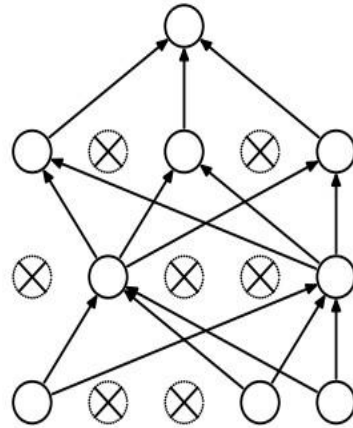
(Image: Blundell et al., 2015)

# Bayesian Convolutional Neural Networks

Monte Carlo (MC) Dropout (Gal et al., 2017)

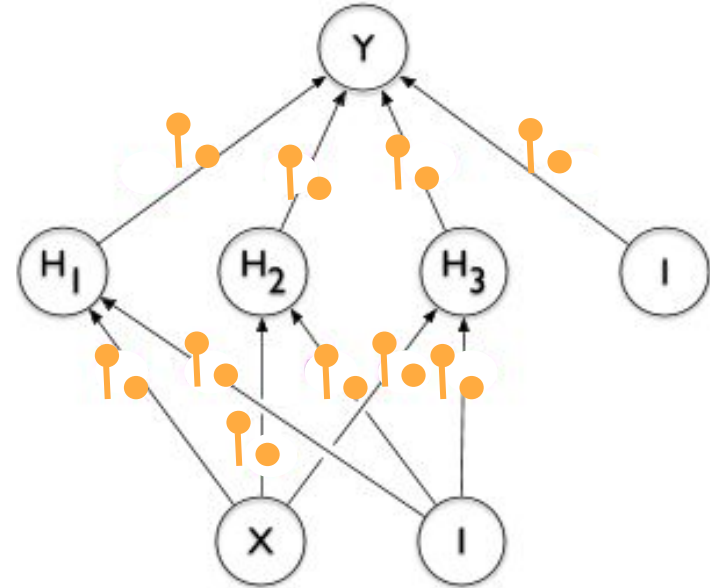


(a) Standard Neural Net



(b) After applying dropout.

(Image: Srivastava et al., 2014)



Closed-set Performance  
(Accuracy, mAP, etc.) ✓

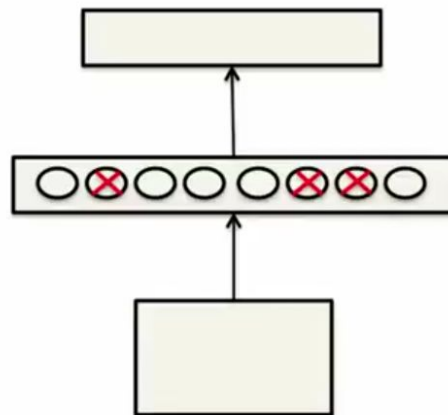
Open-set Performance  
(Uncertainty) ✓

Robotic Vision  
(Object Detection/Instance Segmentation) ✗

# Dropout to the Rescue (again)

Dropout: An efficient way to average many large neural nets (<http://arxiv.org/abs/1207.0580>)

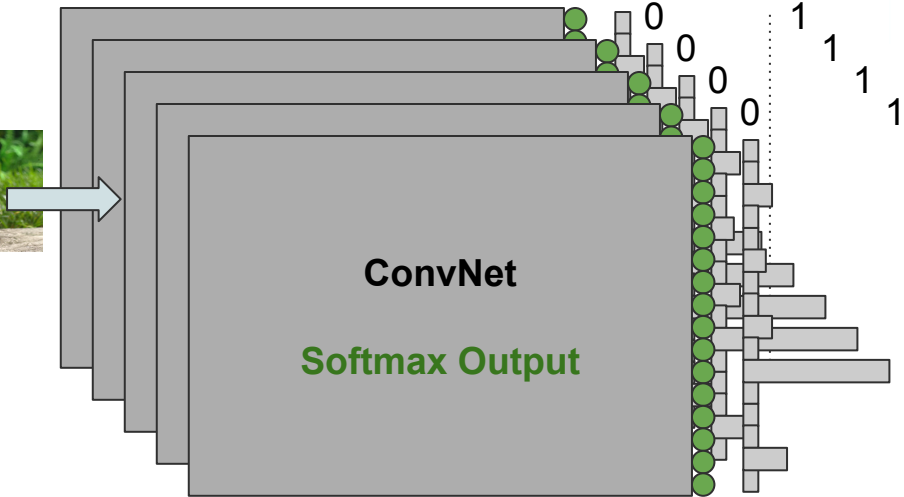
- Consider a neural net with one hidden layer.
- Each time we present a training example, we randomly omit each hidden unit with probability 0.5.
- So we are randomly sampling from  $2^H$  different architectures.
  - All architectures share weights.



Neural Networks for Machine Learning, Geoffrey Hinton on Coursera in 2012

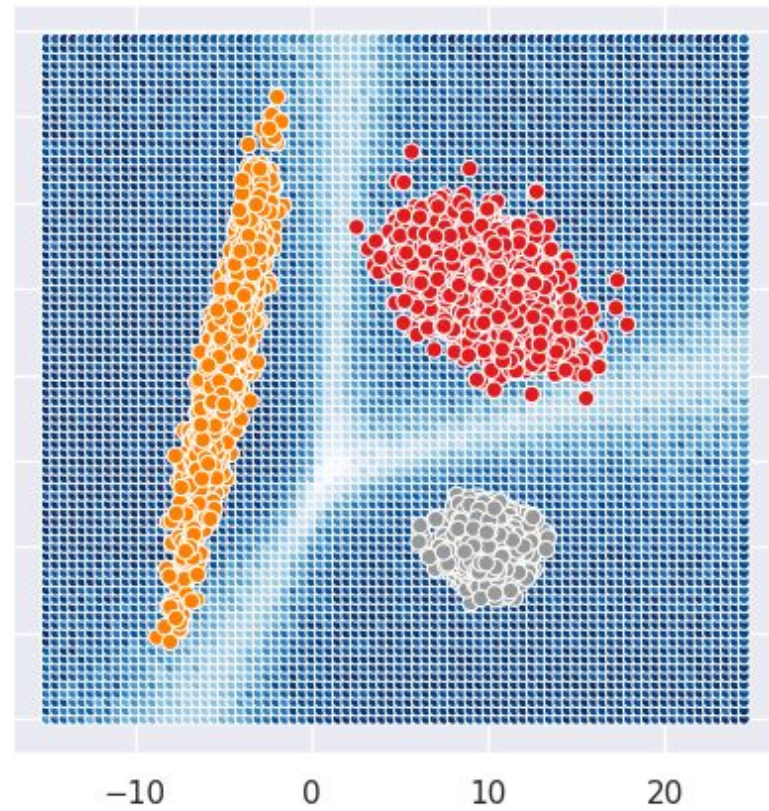
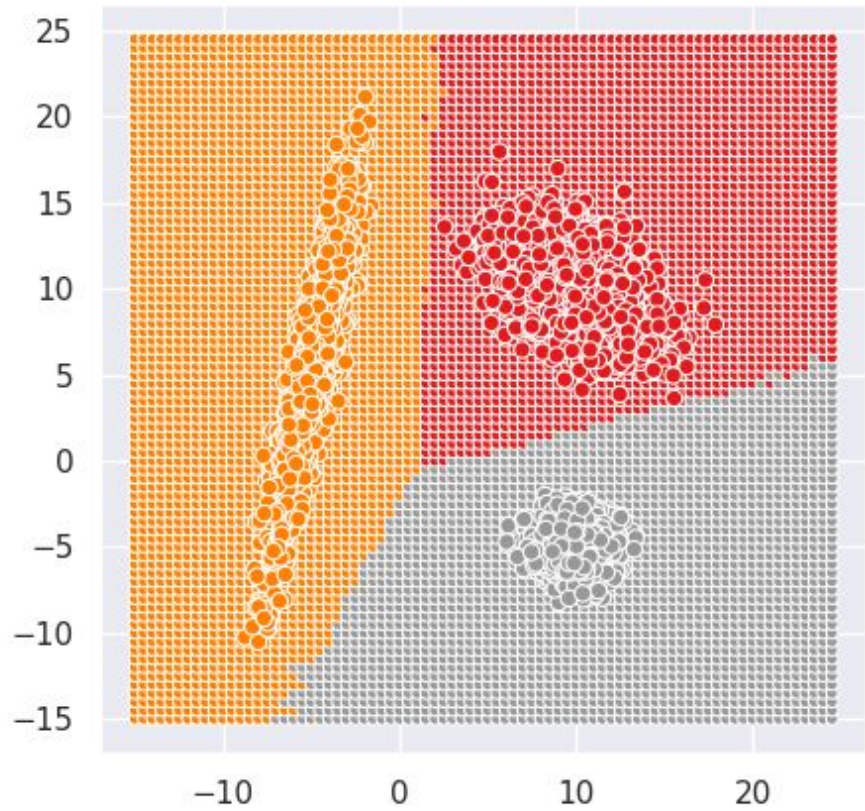
- Dropout as a Bayesian Approximation (Gal and Ghahramani, ICLR 2015)
- Yarin Gal's PhD thesis
- NIPS 2016 workshop ([www.bayesiandeeplearning.org](http://www.bayesiandeeplearning.org))

# Confidence = Probability?



```
class Net(nn.Module):  
    def __init__(self):  
        super(Net, self).__init__()  
        self.fc1 = nn.Linear(2, 64)  
        self.fc2 = nn.Linear(64, 3)  
  
    def forward(self, x):  
        x = self.fc1(x)  
        x = nn.functional.relu(x)  
        x = nn.functional.dropout(x, training=True)  
        x = self.fc2(x)  
        return x
```



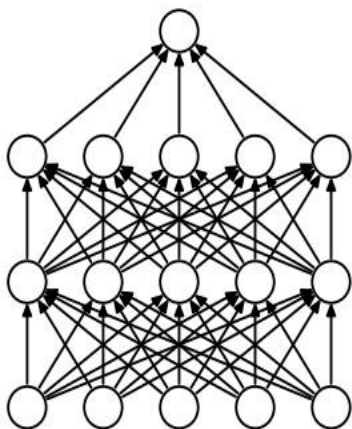


# Uncertainty from Object Detection

Single Shot MultiBox Detector (SSD)  
(Liu et al., 2015)

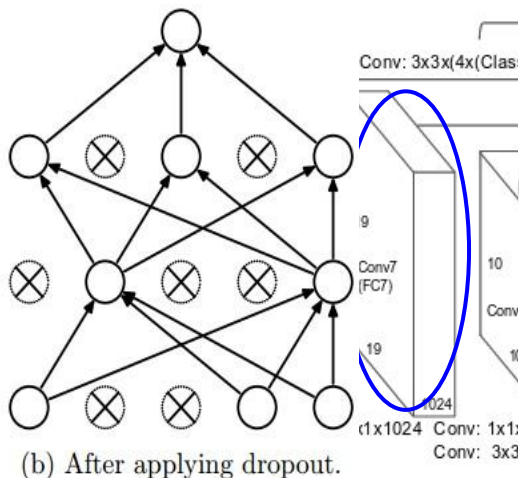
MC Dropout SSD  
(Miller et al., 2018)

MC Dropout  
(Gal et al., 2017)

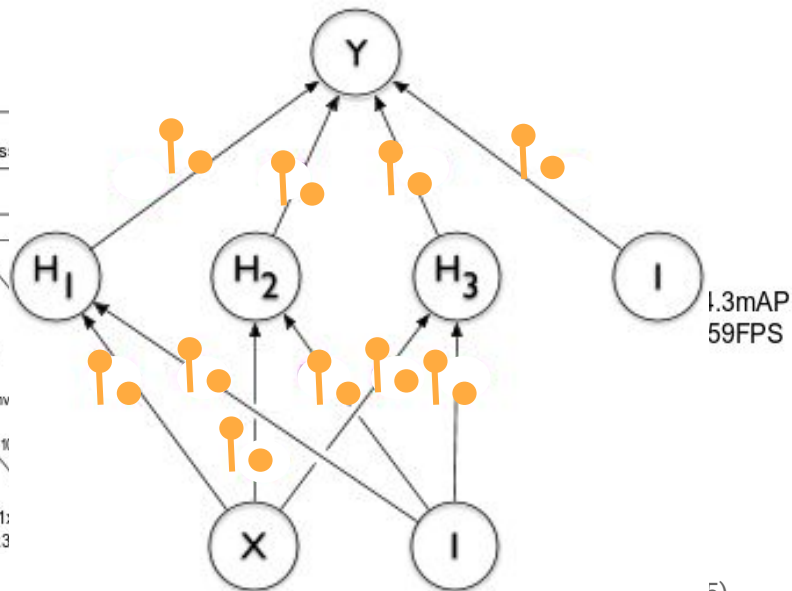


(a) Standard Neural Net

(Image: Srivastava et al., 2014)



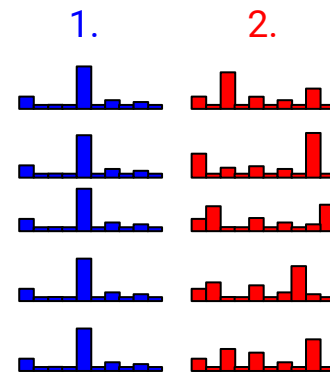
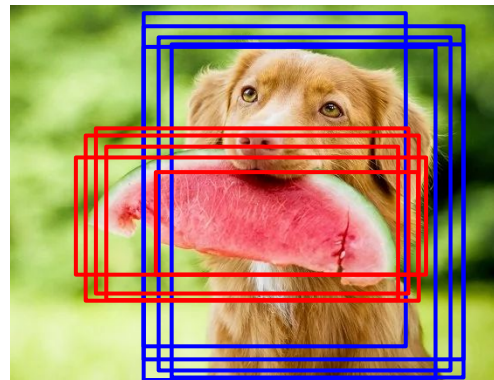
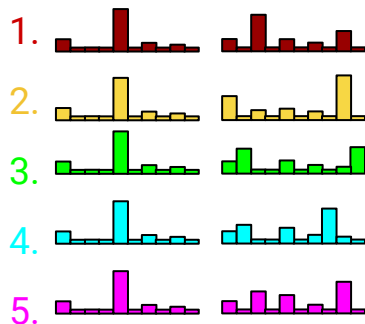
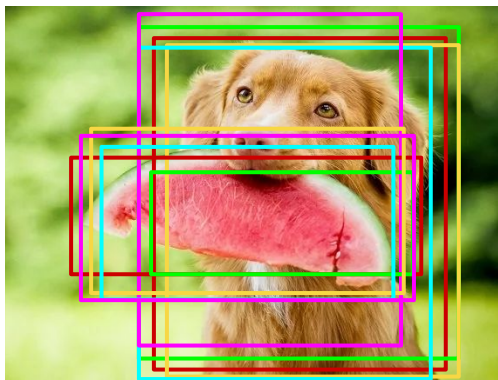
(b) After applying dropout.



5)

# Uncertainty from Object Detection

MC Dropout SSD (Dropout Sampling for Robust Object Detection in Open-Set Conditions. Miller et al., ICRA 2018)

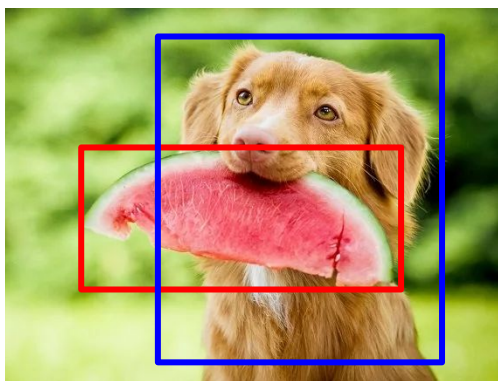


1. Sample from MC Dropout SSD

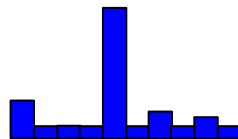
2. Group samples into observations

# Uncertainty from Object Detection

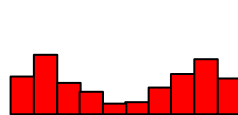
MC Dropout SSD (Dropout Sampling for Robust Object Detection in Open-Set Conditions. Miller et al., ICRA 2018)



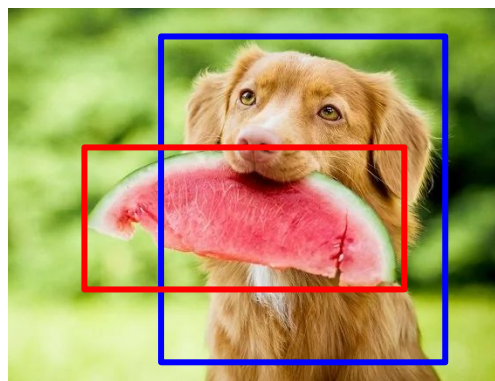
1.



2.



3. Form final detections



$$H\left(\begin{array}{c} \text{Histogram} \end{array}\right) \downarrow$$

**CERTAIN (KNOWN)**

$$H\left(\begin{array}{c} \text{Histogram} \end{array}\right) \uparrow$$

**UNCERTAIN (UNKNOWN)**

4. Obtain class uncertainty for detections

# Uncertainty from Object Detection

MC Dropout SSD (Dropout Sampling for Robust Object Detection in Open-Set Conditions. Miller et al., ICRA 2018)

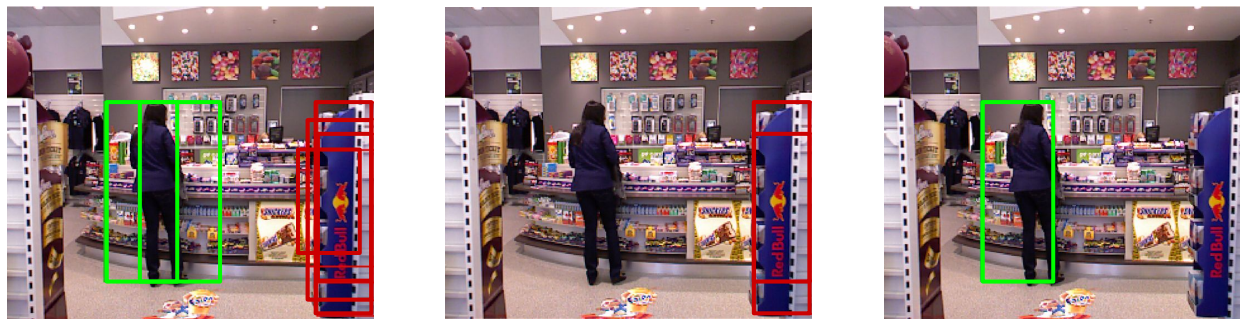
SceneNet RGB-D



QUT Campus

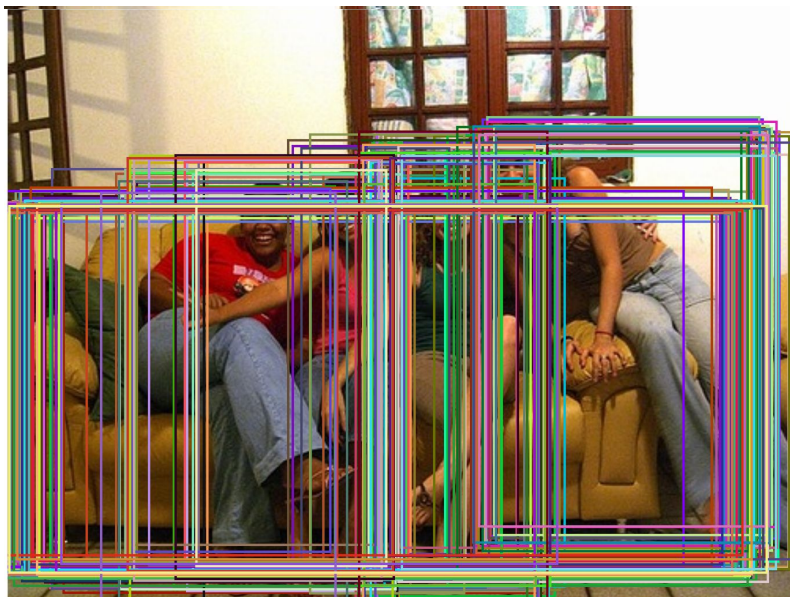


Uncertainty from MC Dropout SSD reduces open-set errors.



# Evaluating Uncertainty from Object Detection

Evaluating Merging Strategies for Sampling-based Uncertainty Techniques in Object Detection  
(Miller et al., 2019)



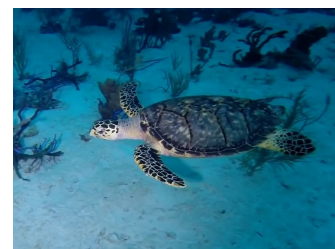
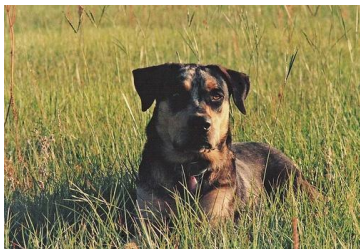
Measure affinity between samples

+

Clustering algorithm

# Evaluating Uncertainty from Object Detection

Evaluating Merging Strategies for Sampling-based Uncertainty Techniques in Object Detection  
(Miller et al., 2019)



**Closed-set Conditions**  
PASCAL VOC Dataset

**Near Open-set Conditions**  
COCO Dataset

**Distant Open-set Conditions**  
Underwater Dataset

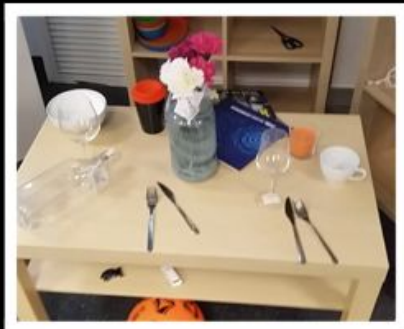
# Evaluating Uncertainty from Object Detection

Evaluating Merging Strategies for Sampling-based Uncertainty Techniques in Object Detection  
(Miller et al., 2019)

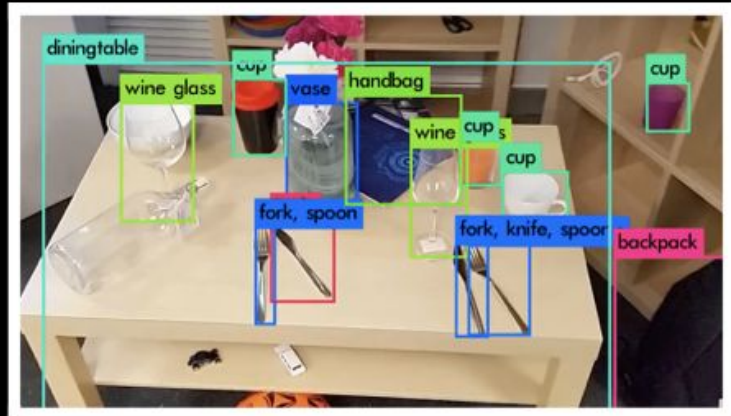
Error represented by:	Closed-Set Dataset (Correct Detections & Closed-Set Error)				Distant Open-Set Dataset (Correct Detections & Distant OSE)				Near Open-Set Dataset (Correct Detections & Near OSE)				All Datasets (All detections)			
	UE (maP) ↓ (↑)	AUROC ↑	AUPR In ↑ Out ↑	AUPR Out ↑	UE (maP) ↓ (↑)	AUROC ↑	AUPR In ↑ Out ↑	AUPR Out ↑	UE (maP) ↓ (↑)	AUROC ↑	AUPR In ↑ Out ↑	AUPR Out ↑	UE (maP) ↓ (↑)	AUROC ↑	AUPR In ↑ Out ↑	AUPR Out ↑
Standard SSD	22.7(50.4)	84.1	<b>96.8</b>	48.4	16.2(61.7)	91.3	98.8	70.6	23.5(50.4)	85.1	98.0	52.5	21.6(53.0)	86.5	94.0	75.5
BSAS IoU 0.95	22.2(54.2)	84.8	96.7	51.0	10.5(59.6)	95.2	<b>99.2</b>	83.8	19.5(56.6)	88.5	<b>98.5</b>	58.8	18.6(56.6)	89.4	<b>94.8</b>	82.0
HDBScan Corner	21.3(53.7)	84.8	96.5	51.5	12.7(59.6)	94.0	99.0	79.6	22.7(56.2)	85.5	98.0	54.8	19.8(56.2)	88.0	94.0	79.4
Hungarian Exponential & SL	<b>20.1(55.1)</b>	<b>86.5</b>	96.5	<b>58.2</b>	10.8(60.4)	95.0	99.1	84.1	21.1(60.4)	7.4	98.1	59.5	18.3(56.7)	89.7	94.2	83.7
BSAS IoU 0.95 & SL	21.6(54.2)	85.5	96.6	55.0	9.9(59.6)	<b>95.4</b>	<b>99.2</b>	<b>86.4</b>	<b>17.8(56.6)</b>	<b>90.0</b>	98.4	<b>66.7</b>	<b>17.5(56.6)</b>	<b>90.3</b>	94.6	<b>85.1</b>
BSAS excl. IoU 0.9 & SL	20.7(55.9)	86.2	96.6	57.9	<b>10.3(61.8)</b>	95.2	99.1	85.7	20.2(61.8)	87.9	98.1	62.7	18.2(58.0)	89.9	94.2	84.7

Basic Sequential Algorithmic Scheme (BSAS) clustering using Intersection over Union (IoU) and winning label (SL) as affinity measures.





**Perception**



**Interaction**



**World Model & Decision Making**

Propagate uncertainty from Perception through the world model into decision making and actions?

# Probabilistic Object Detection